

Diffraction at HERA

On behalf of H1 and ZEUS collaborations

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Paris 2011

1st part:

Inclusive diffraction at HERA and the dynamical structure of the proton at low x ...

2nd part:

The spatial structure of the nucleon from exclusive processes

Perspectives and Summary

Diffraction on nuclear waves

ELASTIC AND INELASTIC SCATTERING OF 1.37 GeV α -PARTICLES FROM $^{40,42,44,48}\text{Ca}$

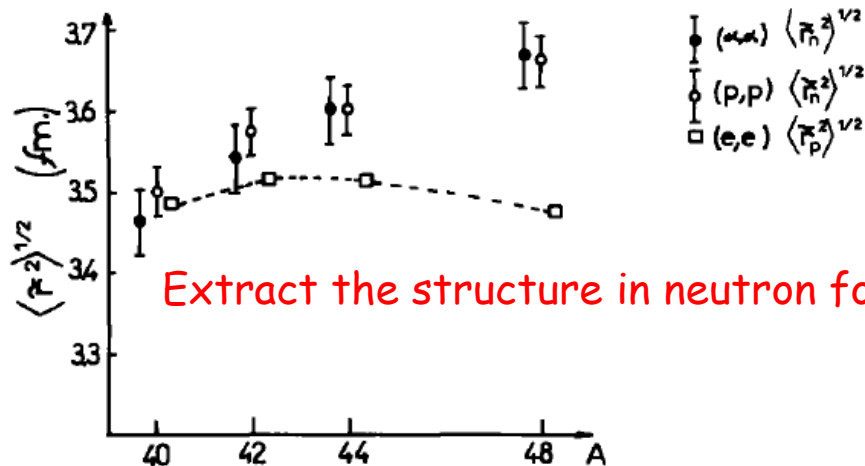
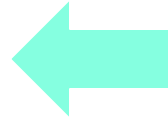
G. D. ALKHAZOV [†], T. BAUER ^{**}, R. BERTINI ^{***}, L. BIMBOT [‡], O. BING ^{***}, A. BOUDARD,
G. BRUGE, H. CATZ, A. CHAUMEAUX, P. COUVERT, J. M. FONTAINE ^{**}, F. HIBOU ^{***},
G. J. IGO ^{***}, J. C. LUGOL and M. MATOBA ^{*}

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Received 6 October 1976
(Revised 9 December 1976)

ϑ (or $|t|^{1/2}$) dependence presents the standard diffractive pattern (optics)

Amplitude(q, k) $\sim ik/2\pi \int db e^{ibq} D(b, k)$



Extract the structure in neutron for Calcium

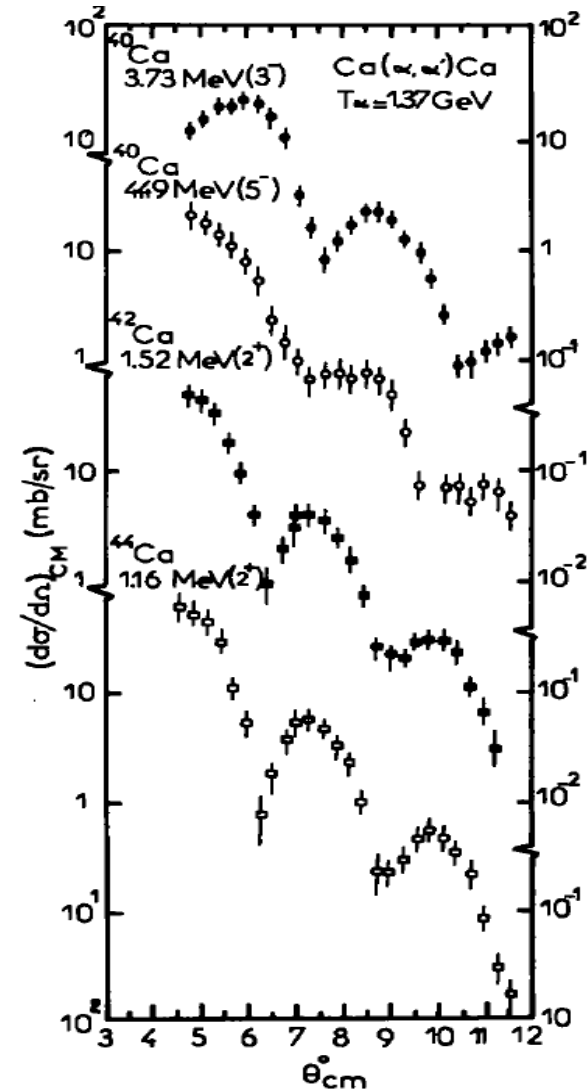
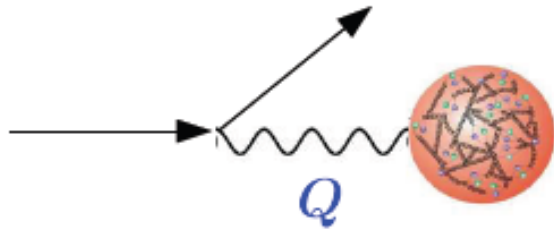


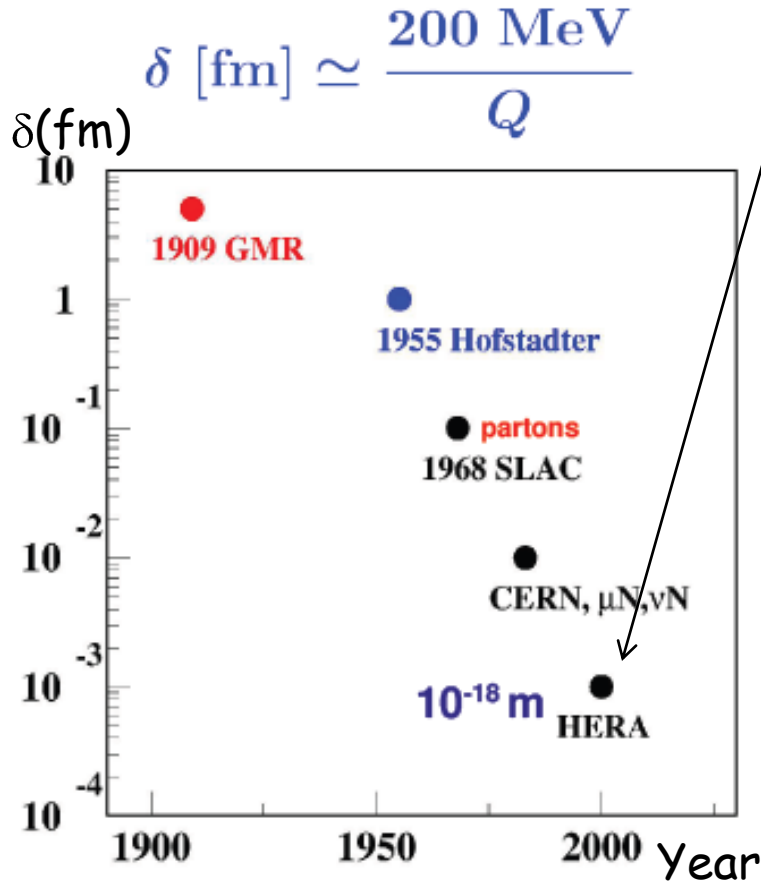
Fig. 3. Differential cross sections of inelastic scattering of 1.37 GeV α -particles from the 3_1^- and 5_1^- states in ^{40}Ca and the 2_1^+ states in ^{42}Ca and ^{44}Ca .

Subnuclear waves

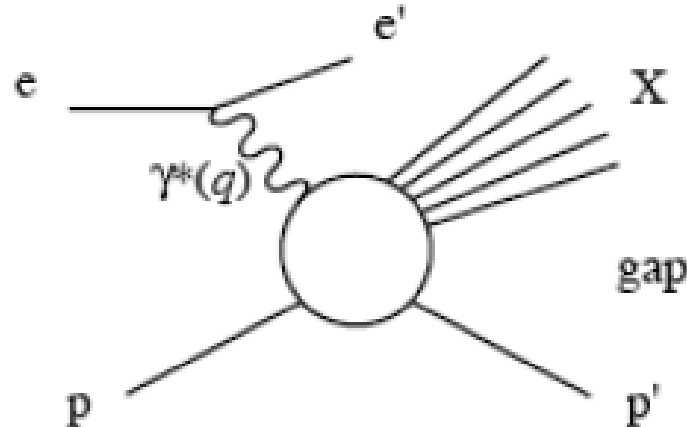


Probe the proton with a lepton beam
 => Virtual photon (γ^*) of resolution $\sim 1/Q$

**Diffraction of subnuclear waves
 at HERA [$E_{cm}=320$ GeV]**

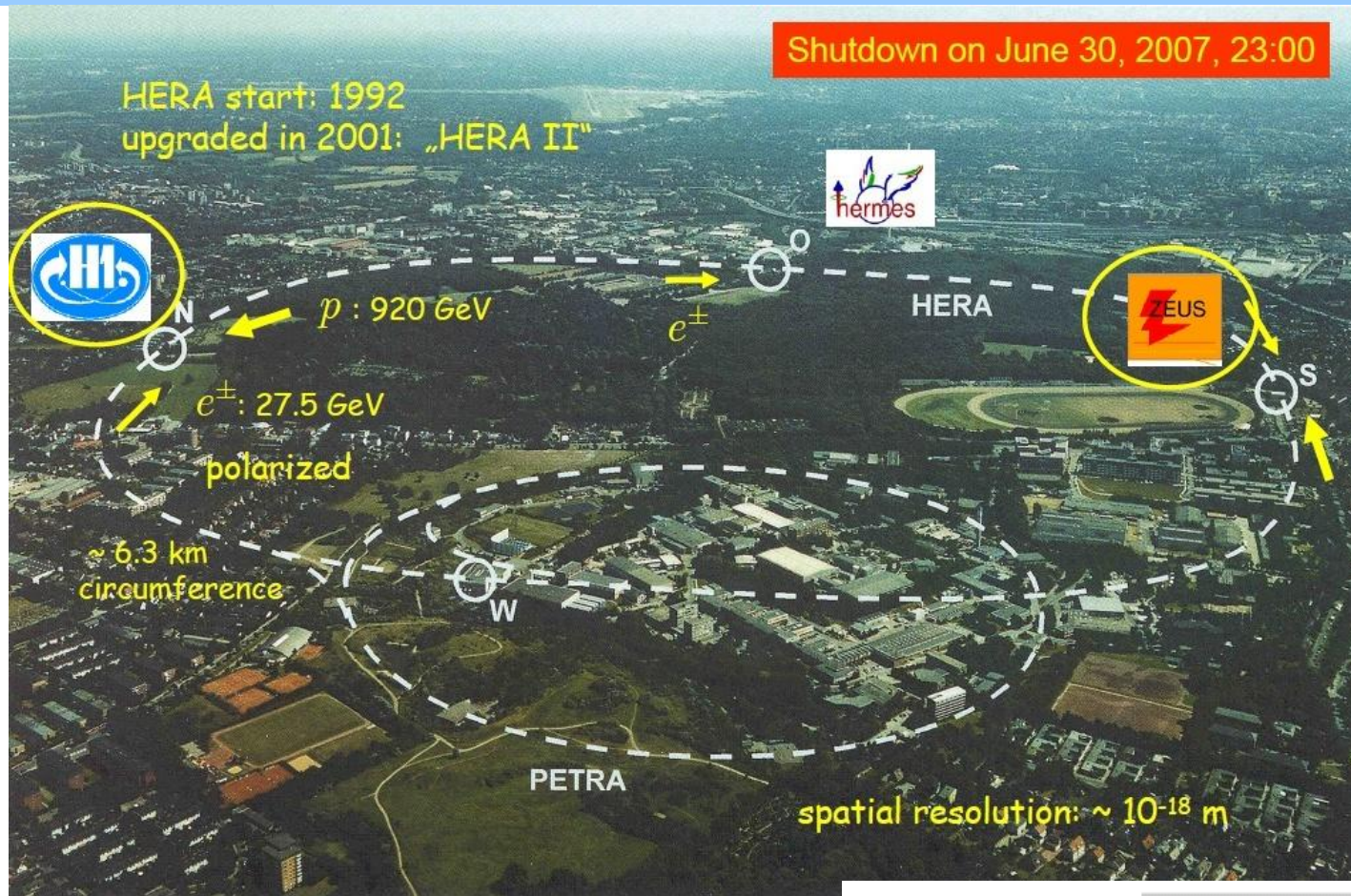


$$\gamma^* p \rightarrow X p$$



The proton is left intact (or quasi-intact)
 ** Color singlet exchange
 ** Presence of a GAP in rapidity
 (between X and p')

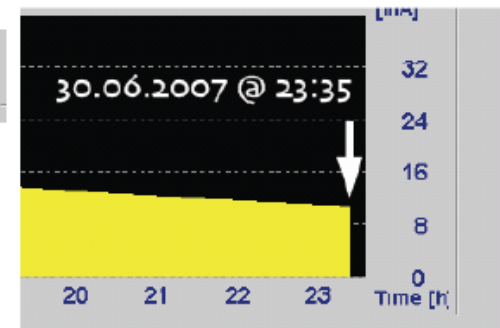
HERA-DESY: 1992-2007



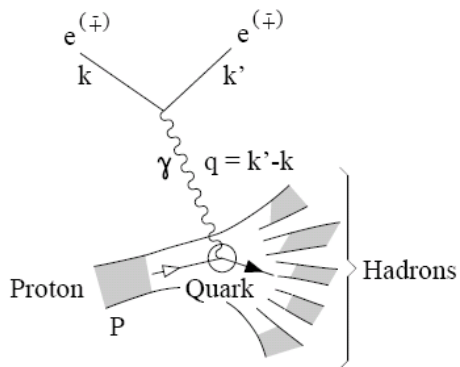
Total luminosity = 1 fb^{-1} for H1+ZEUS

350 collaborators per experiment (H1+ZEUS)
+HERMES

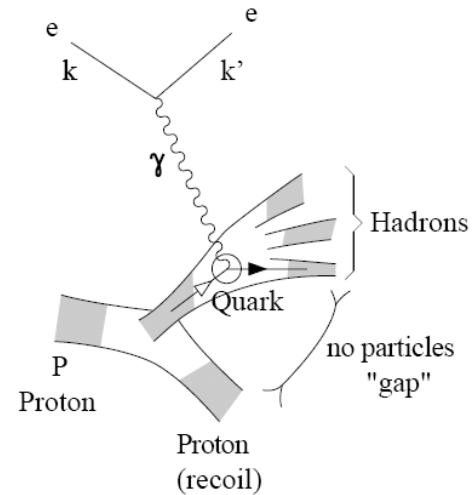
HERA e+
Beam History



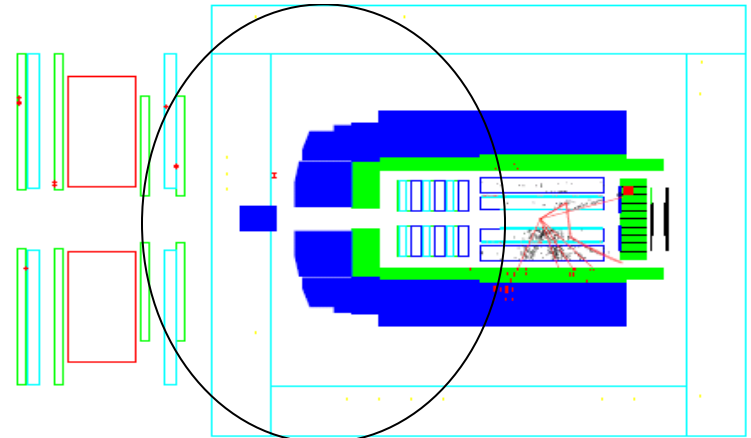
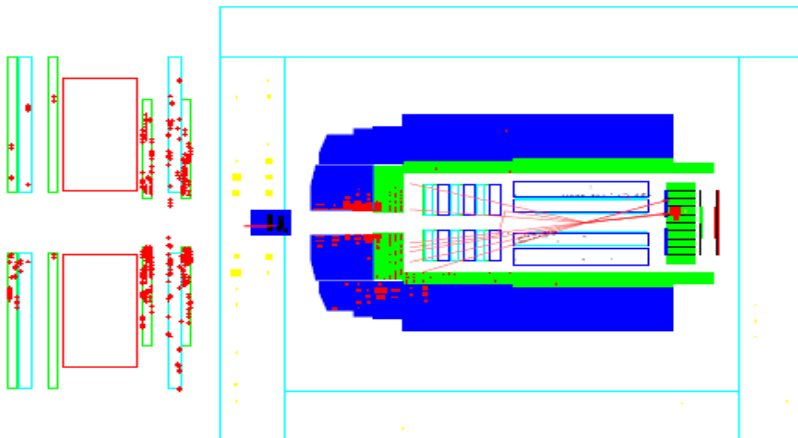
Diffractive events are observed



Deep Inelastic Scattering (DIS) $\Rightarrow F_2$



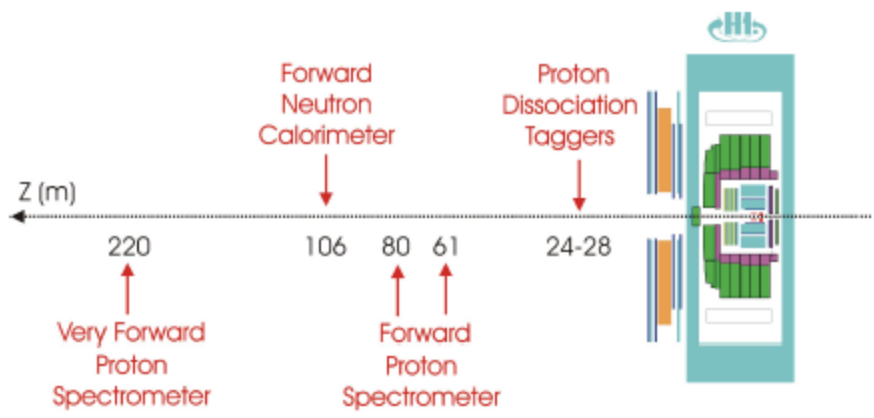
Diffractive Deep Inelastic Scattering (DDIS) $\Rightarrow F_2^D$



This is the *GAP* with no particle

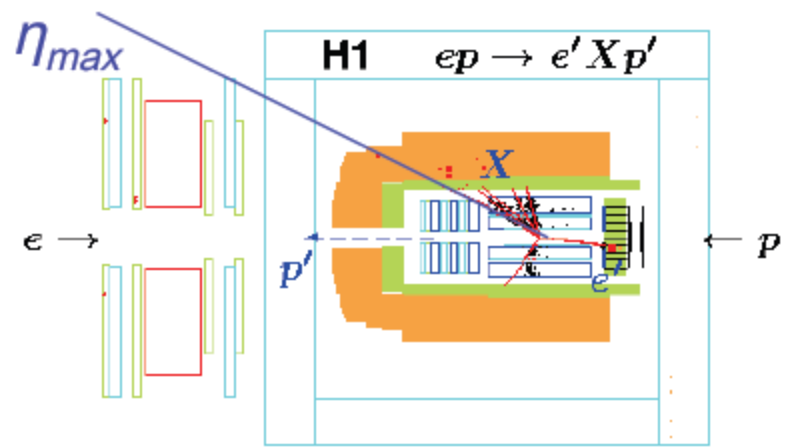
Experimental selection methods

Scattered proton in Leading Proton Spectrometers (LPS)



Limited by statistics and p-tagging systematics

'Large Rapidity Gap' (LRG) adjacent to outgoing (untagged) proton

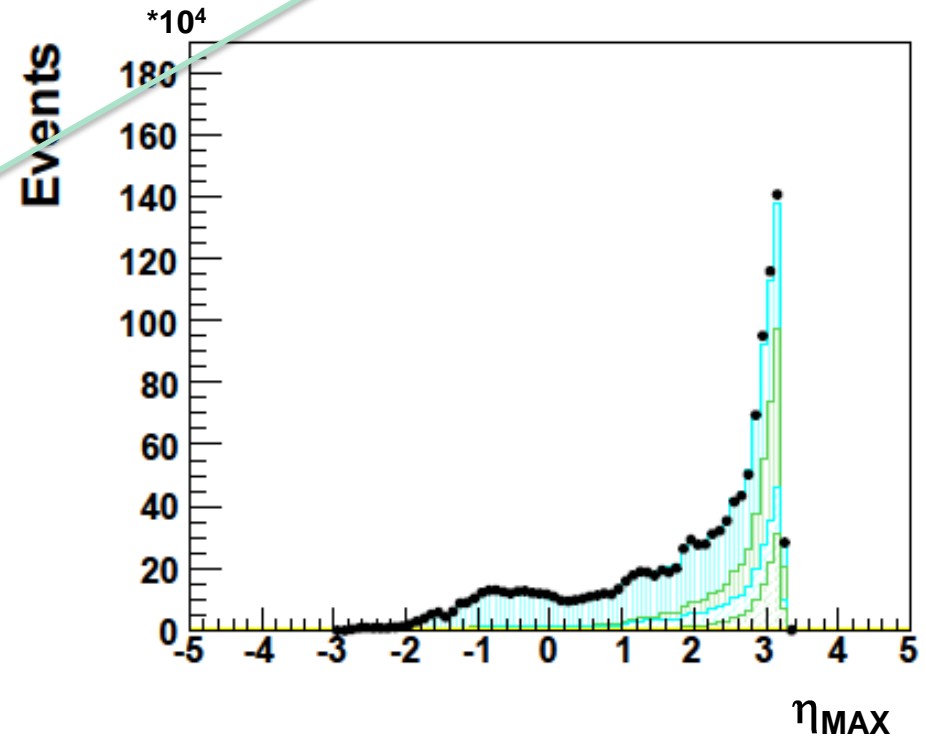
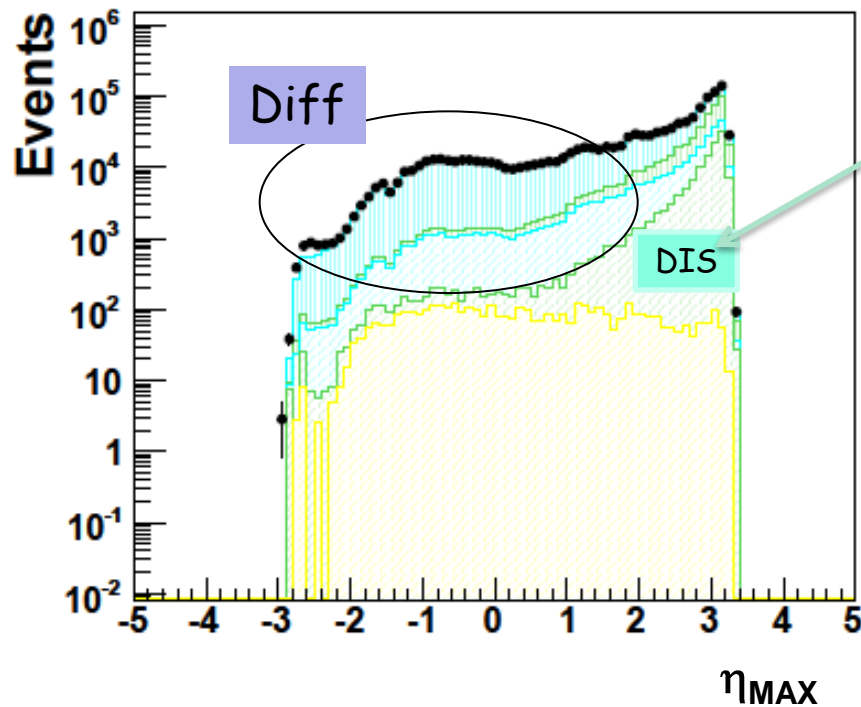


Limited by p-diss systematics

Diff events are produced with a quite large rate

Lower η_{MAX} means that the GAP with no particle is large
...illustration on all HERAII data (Lumi=330 pb⁻¹)

- Data : 1241193
- MC : 1228063.125
- ▨ VM : 4290.088
- ▨ NC : 119402.484
- ▨ IPcha : 152679.438
- ▨ IR : 224555.609
- ▨ IPuds : 727135.438



Why DIFF rate is large @ HERA (low x)?

...certain (Fock) states of the virtual photon $|\psi_k\rangle$ do not feel the the strong interaction, while others are strongly affected...

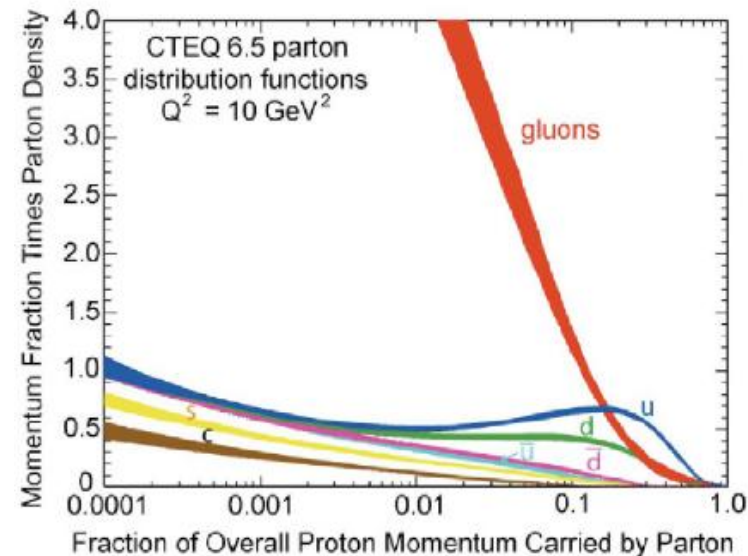
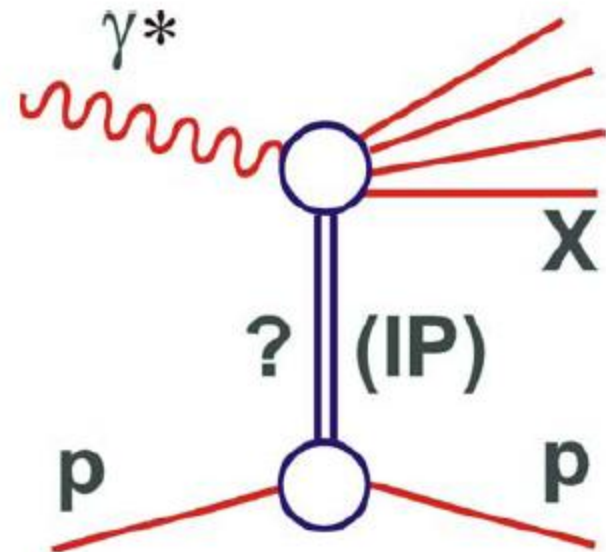
=> Large fluctuations in the absorption coefficients of these states...

This is (obviously) linked to the dominance of the gluon density at small x.



It finds a natural extension in the dipole approach:

$$T(b) \sim \alpha_S r^2 \times G(x, 1/r^2) / (\pi R^2) * \exp(-b^2/b_0^2)$$



Kinematics and notations

Standard DIS variables ...

x = momentum fraction q/p
 $Q^2 = |\gamma^* \text{ 4-momentum squared}|$

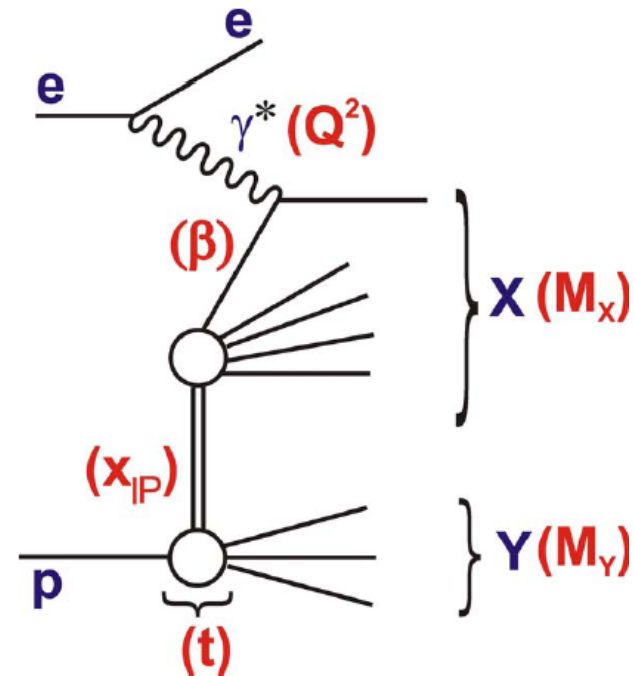
Additional variables for diffraction ...

t = squared 4-momentum
transfer at proton vertex

x_{IP} = fractional momentum
loss of proton
(momentum fraction IP/p)

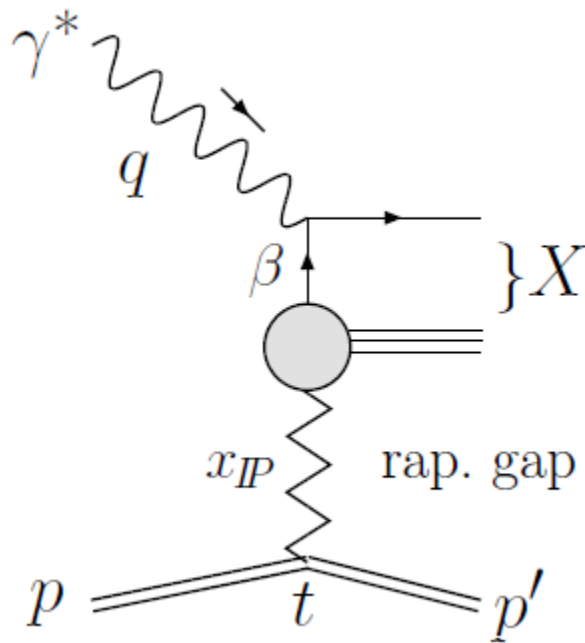
$\beta = x / x_{IP}$
(momentum fraction q / IP)

Most generally $ep \rightarrow eXY \dots$



In most cases here, $Y=p$,
(small admixture of low
mass excitations)

Diffractive cross sections (definition)

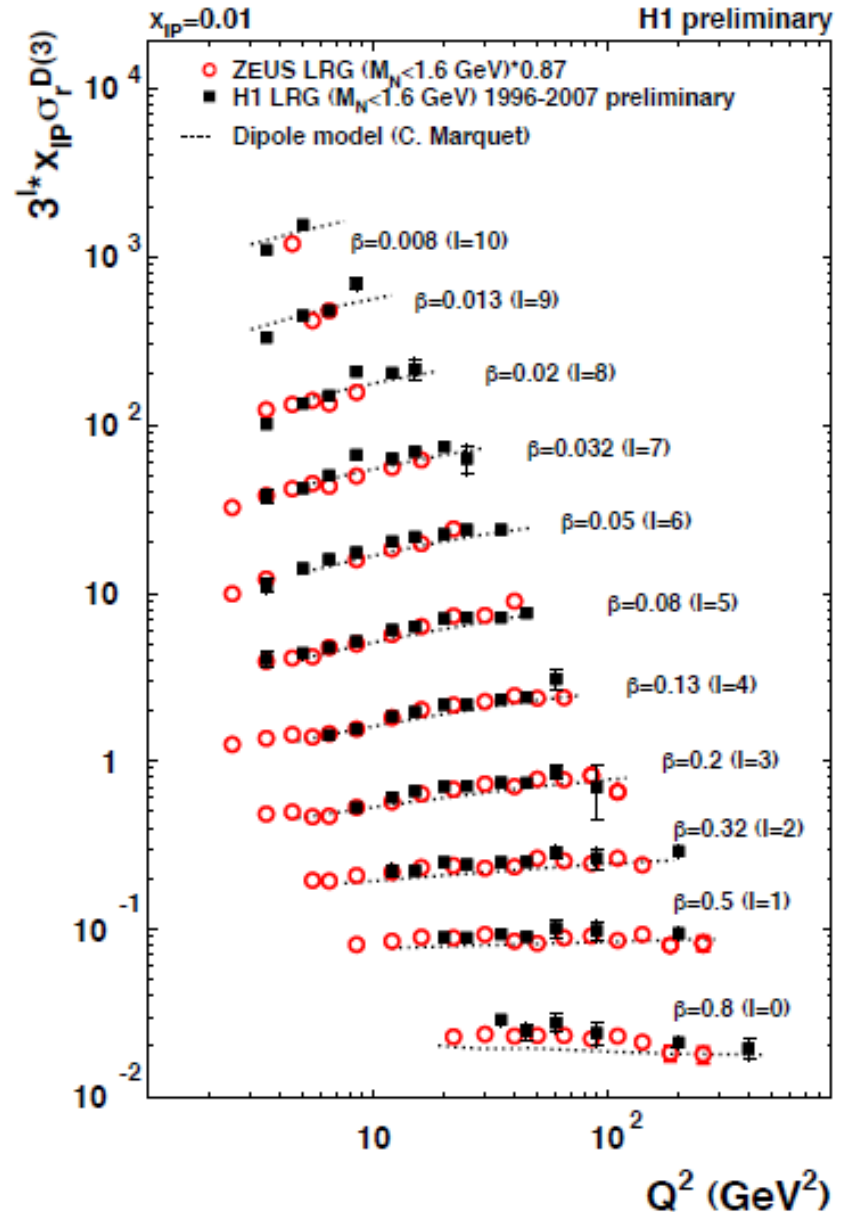
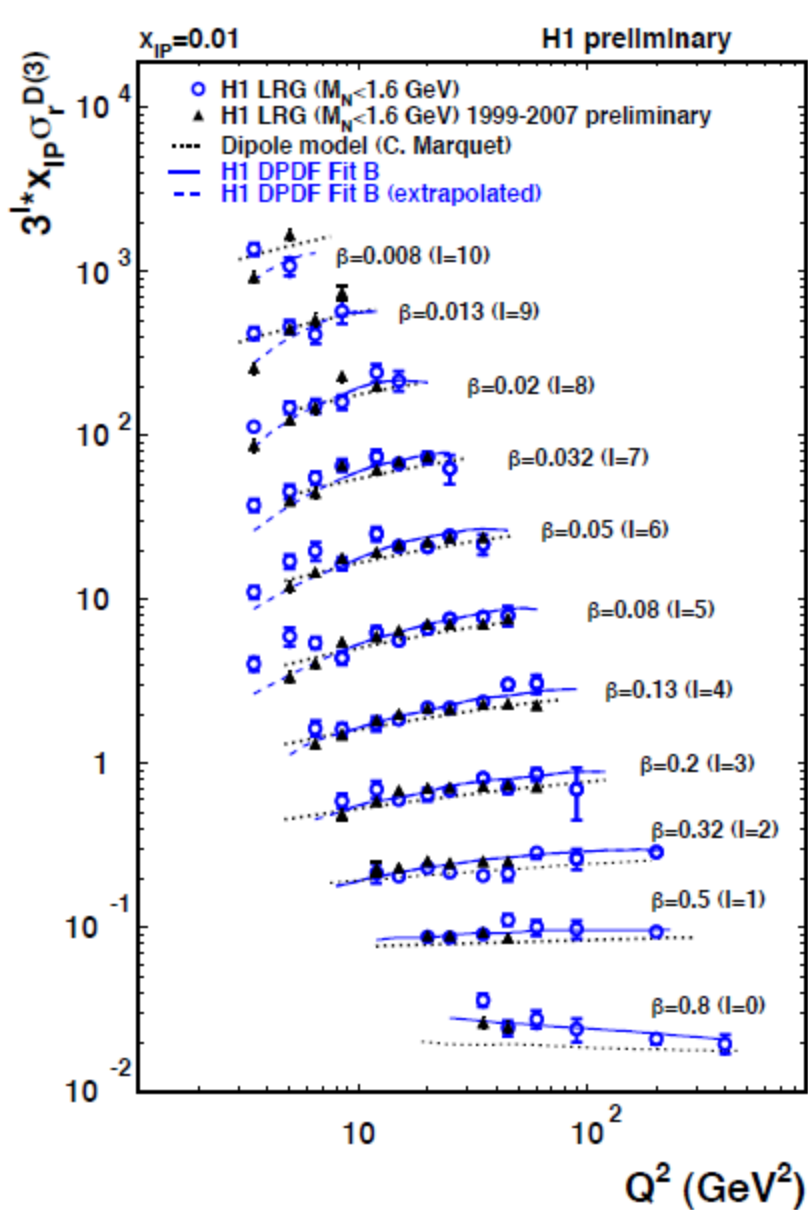


Select diffractive events
 Correct for detector effects
Derive cross sections (// F2)

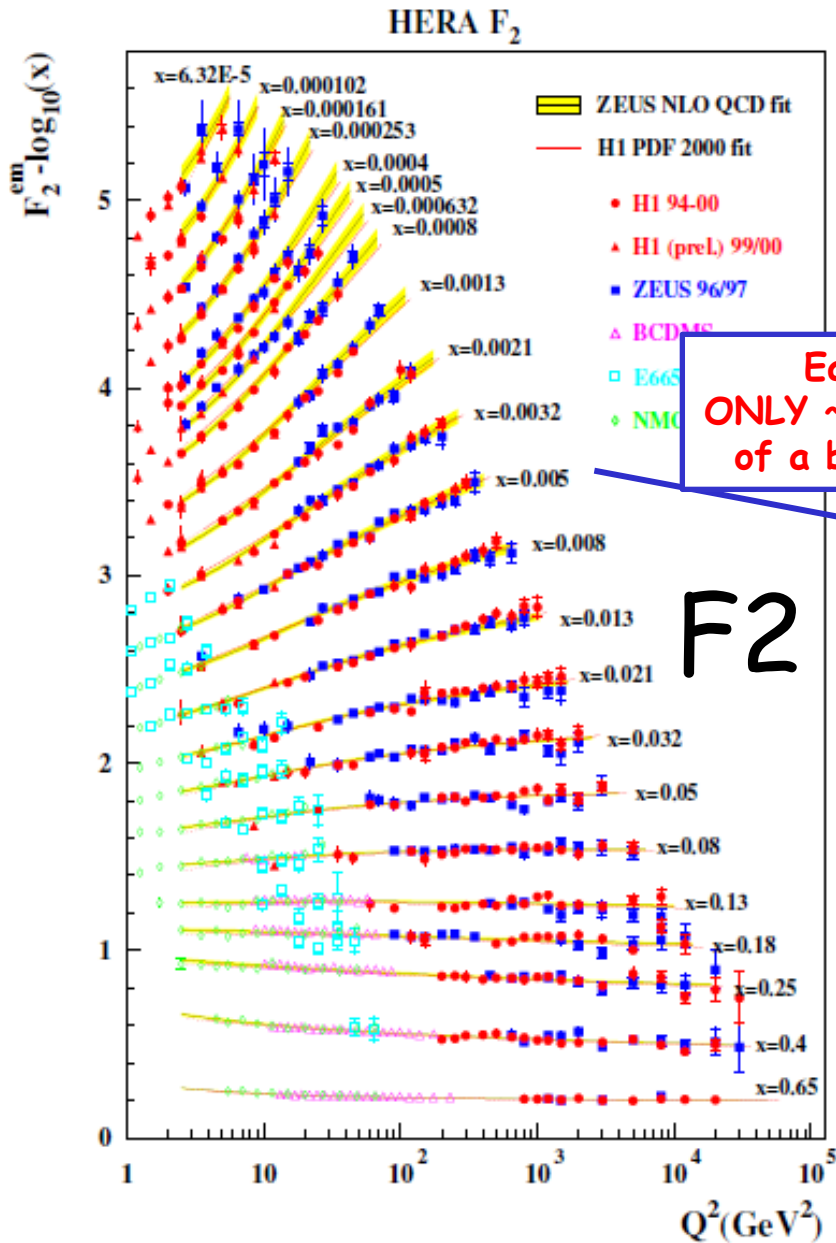
$$\frac{d^3\sigma^D}{d\mathbf{x}_P d\beta dQ^2} = \frac{2\pi\alpha_{em}^2}{\beta Q^4} \left[1 + (1 - y)^2 \right] \sigma_r^{D(3)}(\mathbf{x}_P, \beta, Q^2)$$

$$\sigma_r^{D(3)} = F_2^{D(3)} - \frac{y^2}{1 + (1 - y)^2} F_L^{D(3)} \approx F_2^{D(3)}(\mathbf{x}_P, \beta, Q^2)$$

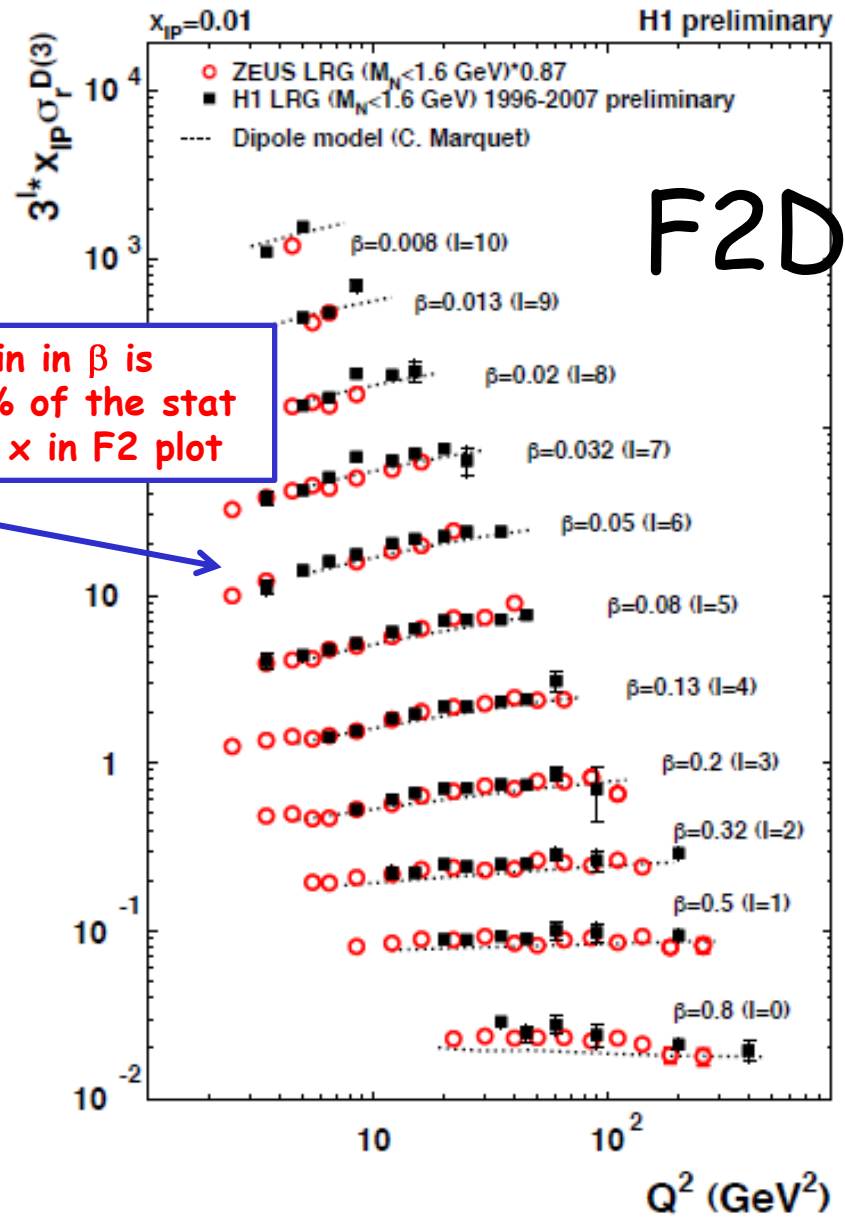
Results ($x_{IP} F_2^D$)[Q^2]: LRG selection



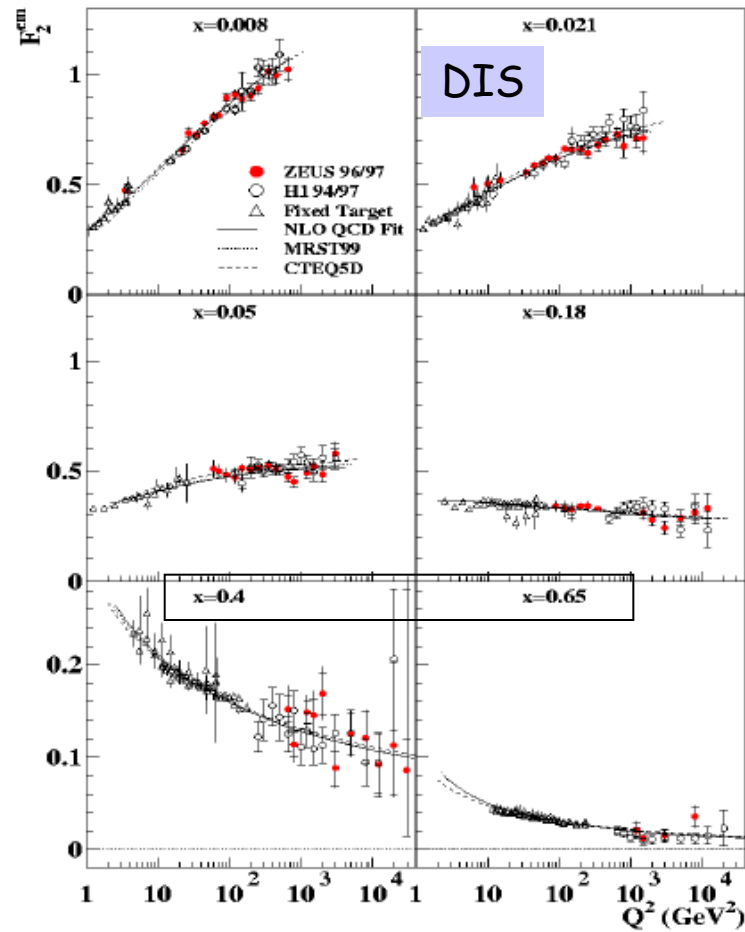
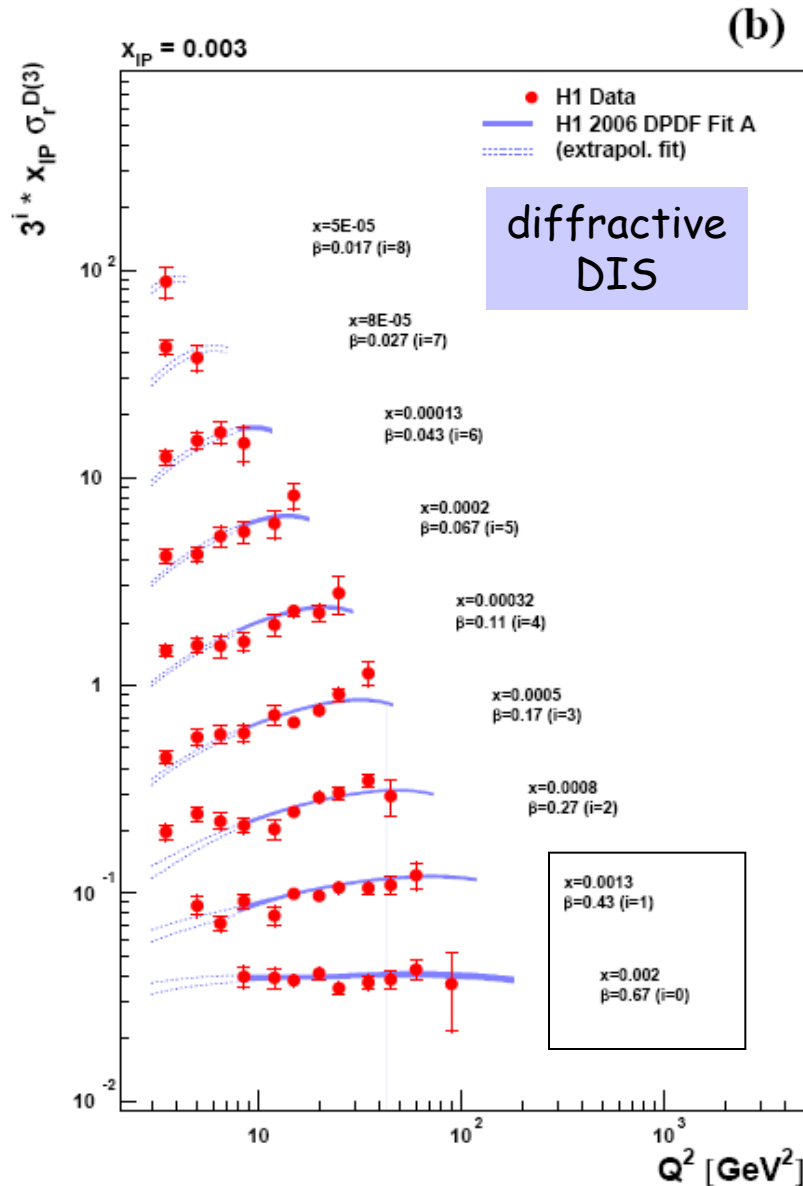
F2 versus F_2^D



Each bin in β is ONLY ~1-2% of the stat of a bin in x in F_2 plot



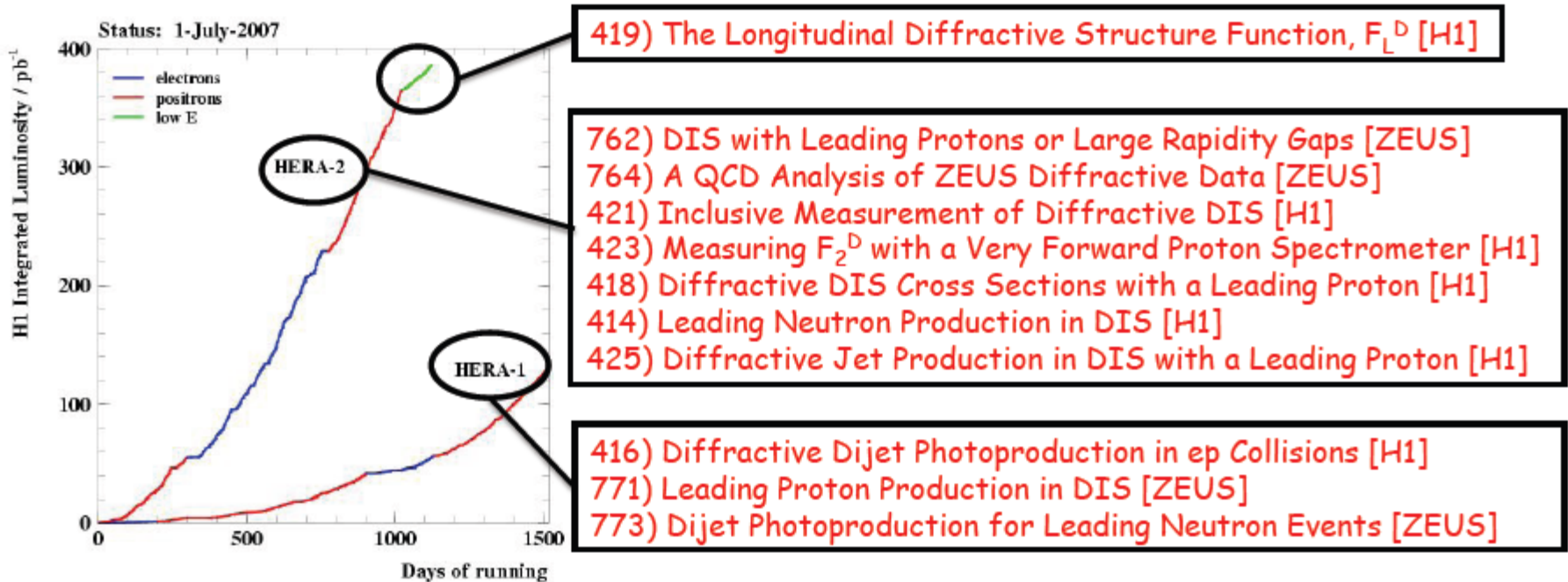
Scaling(Q^2) of DIFF versus DIS



At large β values : scaling violations still >0 for diffraction, <0 for standard DIS
 \Rightarrow Large gluon content expected for DIFF

Diffraction at HERA is still a very active field:

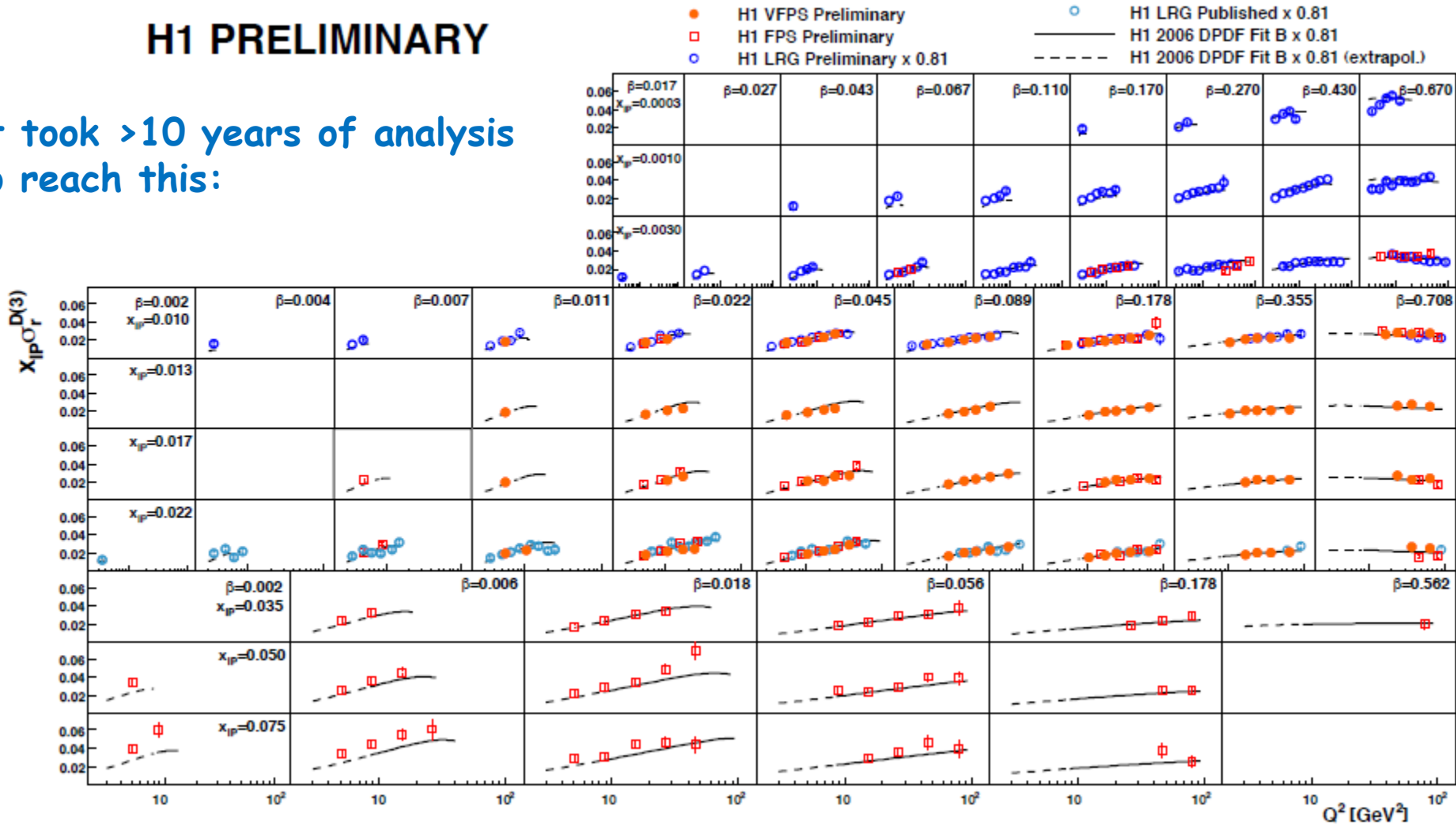
Below the bastracts for new results submitted to ICHEP 2010



$$F_2^D$$

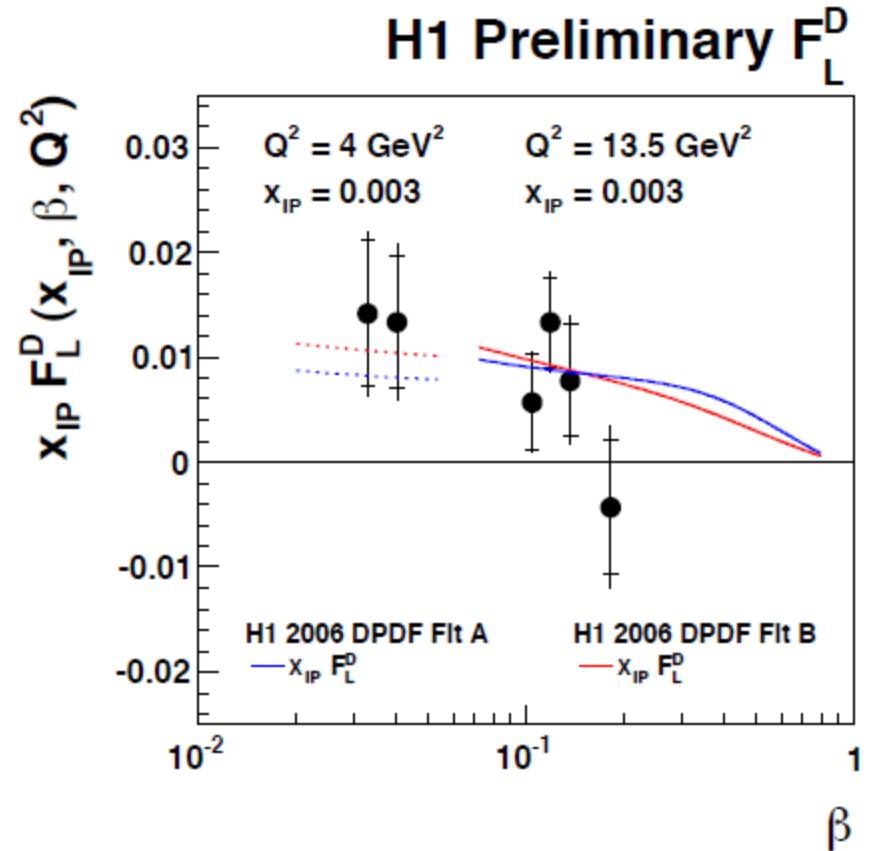
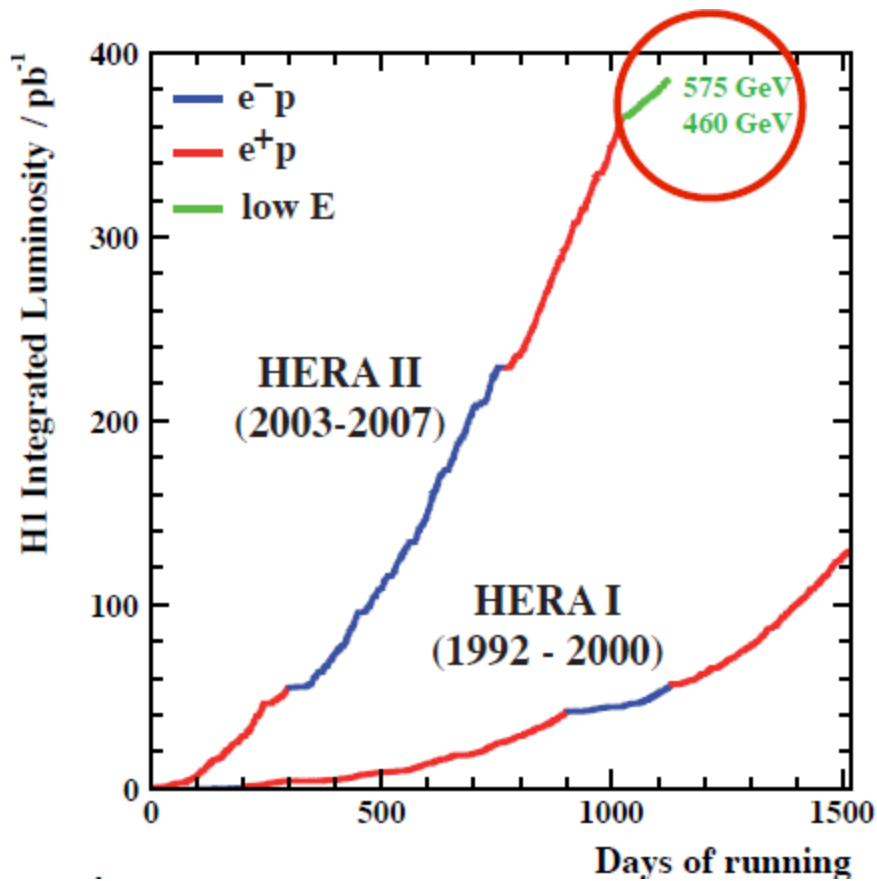
H1 PRELIMINARY

It took >10 years of analysis to reach this:



Sideway pb: time scale for these difficult analysis VS time scale of the the appreciation of a research work...

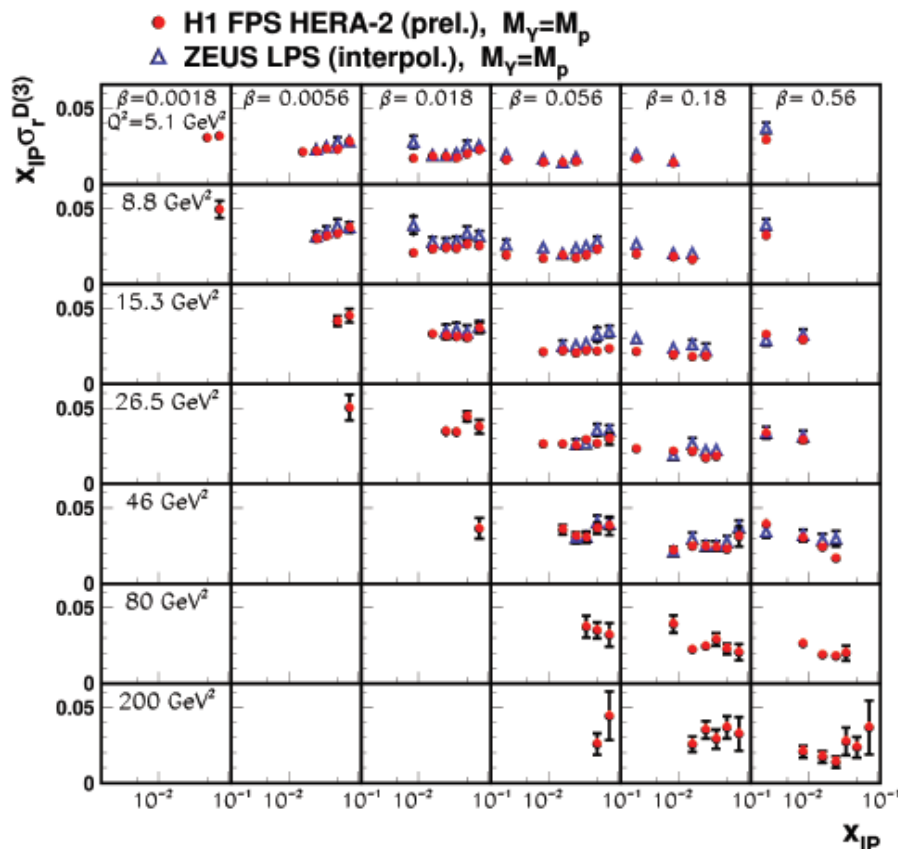
Results ($x_{IP} F_L^D$)



Results (x_{IP} F_2^D): Proton Tag selection

Quadruple-differential cross sections! $\sigma_r^{D(4)}(\beta, Q^2, x_{IP}, t)$

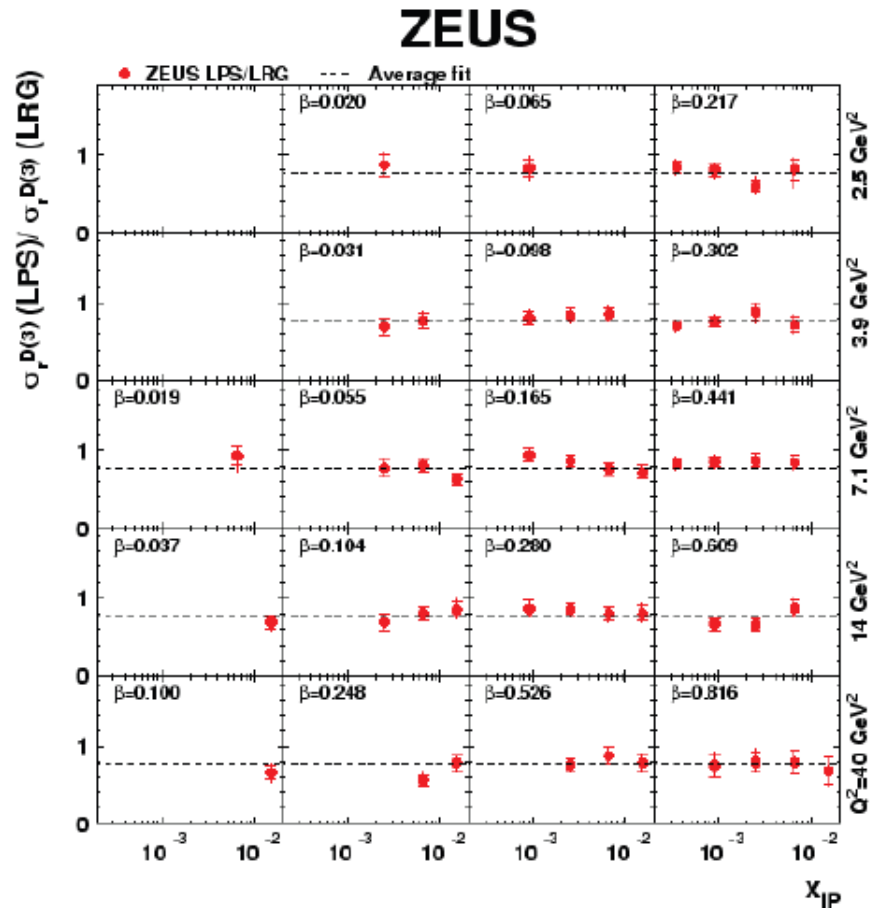
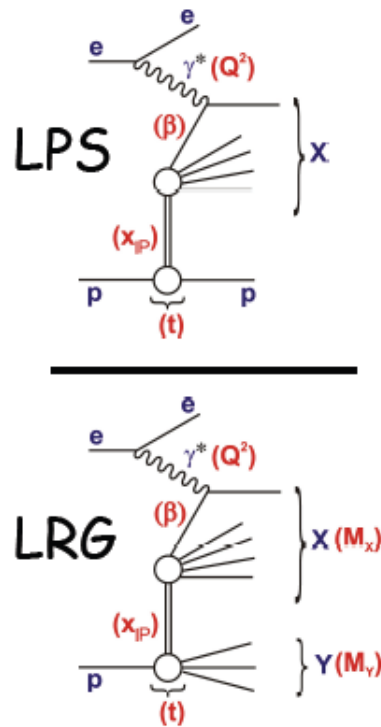
Integrated over t in this example H1-ZEUS comparison



- All available data used by both collaborations
 $\rightarrow x_{IP} \sim 0.1$
- H1 HERA-II (157 pb⁻¹) yields higher Q^2 data
- Good H1-ZEUS agreement on kinematic dependences
- 15% difference in overall normalisation compatible with uncertainties

Comparison between F2D measurement methods

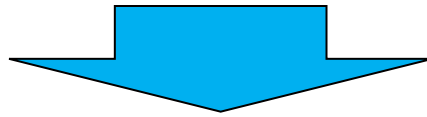
Proton Tag / LRG



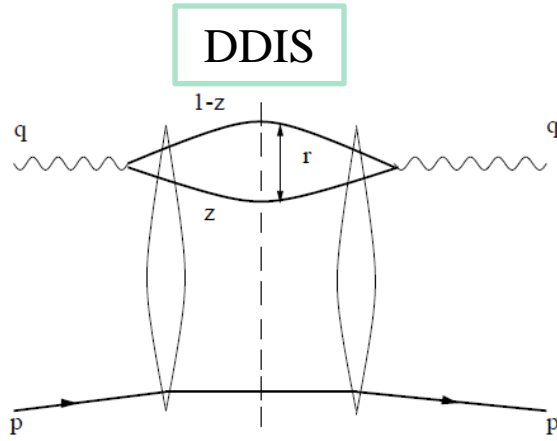
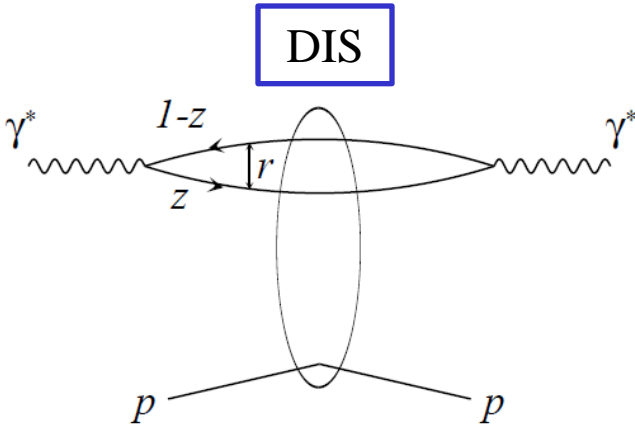
- LRG selections contain typically 20% p diss
- No significant dependence on any variable
- ... well controlled, precise measurements

One major interest of F2D measurements

As already mentioned, inelastic inclusive diffraction is intimately linked to the structure of the proton @ small x ...
with an better sensitivity to the gluon density (at small x) than standard F2



And at first order (in the development of dipole states) it can be written:



$$\sigma_{incl} \sim \int d^2 r dz |\Psi(r,z,Q)|^2 T(x,r)$$

$$x \approx Q^2 / W^2 \ll 1$$

$$d\sigma_{diff} / dt \sim 1/16\pi \int d^2 r dz |\Psi(r,z,Q)|^2 T^2(x_{IP},r)$$

$$x_{IP} \approx (Q^2 + Mx^2) / W^2 \ll 1$$

One major interest of F2D measurements

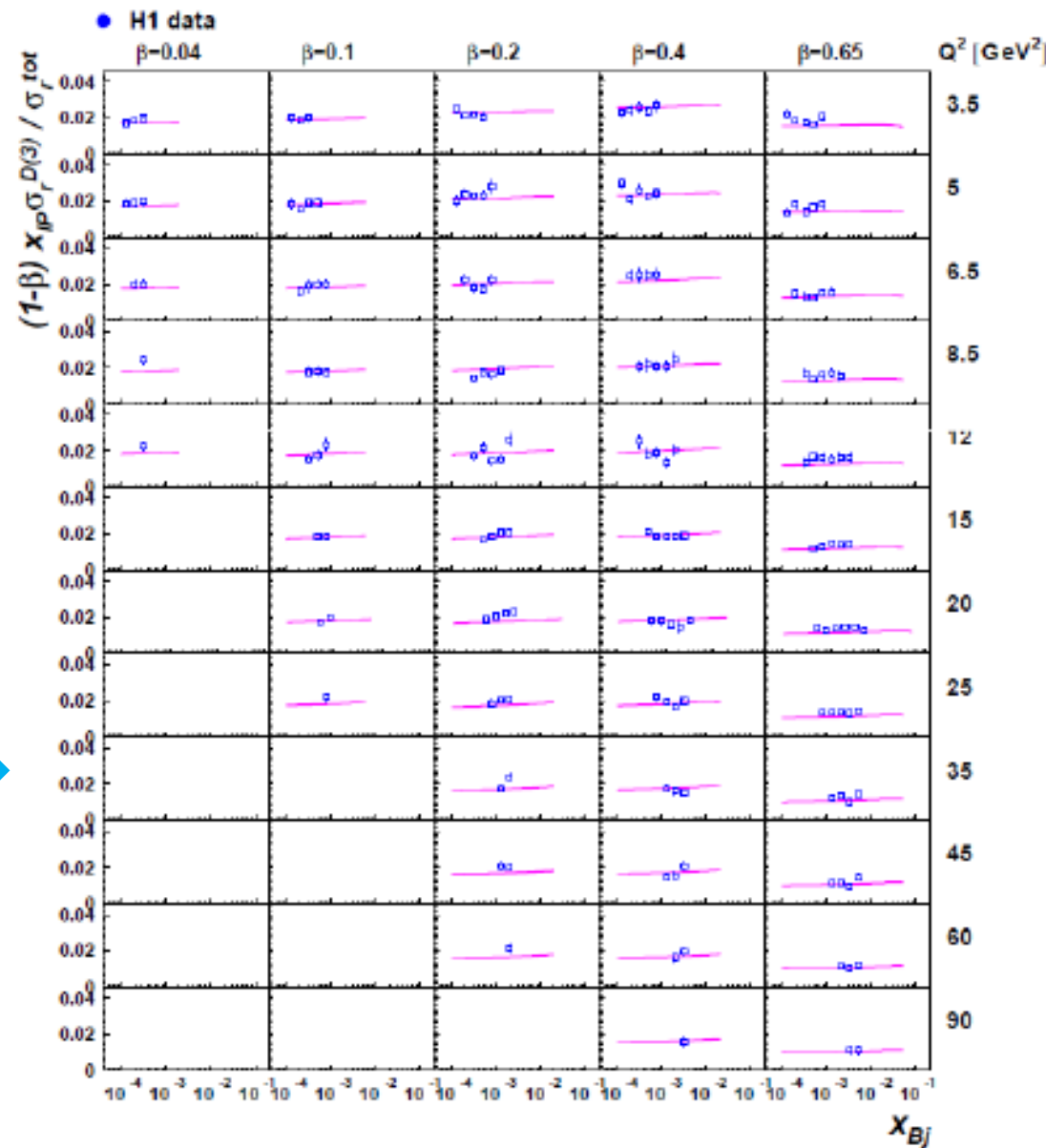
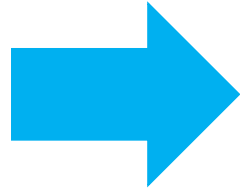
This provides a direct sensitivity to possible saturation effects of the gluon density at small x in the proton

More precisely,

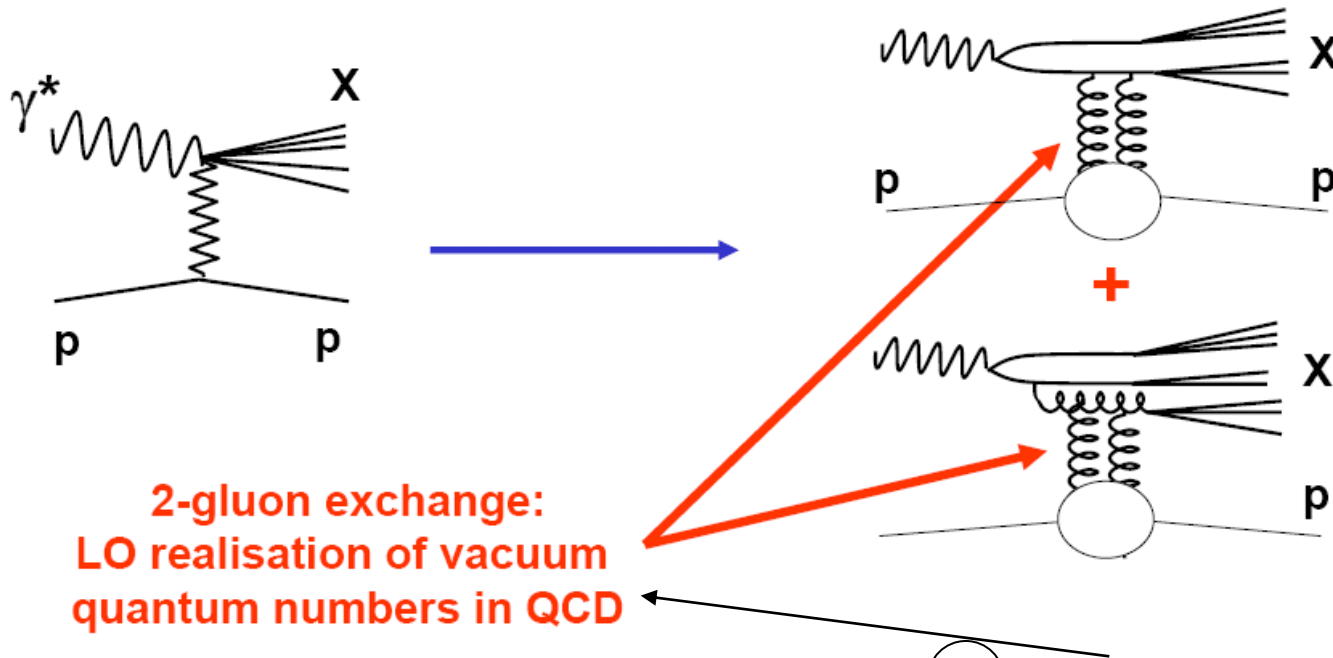
(a) diffractive scattering is dominated by dipoles of size $\sim 1/Q_s$

which gives at the experimental level

(b) $\sigma_{diff}/\sigma_{incl} \sim \text{constant}(x)$ at fixed Q^2 and β (up to $\log[Q^2/Q_0^2]$ terms)



With no saturation effects (first approx)



As mentioned
previously
[with $T \sim xG$]

$$\sigma_{\text{diff}} \sim \text{Coef} \otimes [xG(x, Q^2)]^2$$

$$\sigma_{\text{DIS}} \sim \text{Coef}' \otimes [xG(x, Q^2)]$$

@ low x : $\sigma_{\text{DIS}} (F2) \sim 1/x^\lambda$ ($\lambda \sim 0.3$) $\Rightarrow \sigma_{\text{diff}} \sim 1/x^{2\lambda}$
 And $\sigma_{\text{diff}}/\sigma_{\text{DIS}} \sim 1/x^\lambda$ function of x !

What happens (at first approx)

$$\frac{d\sigma_{dif}}{dt} \Big|_{t=0} = \frac{1}{16\pi} \int_{r,z} |\Psi(r, z, Q)|^2 \hat{\sigma}_{q\bar{q}}^2(x_{IP}, r)$$
$$\sim \frac{1}{Q^2} \int_{1/Q^2}^{1/Q_s^2} \frac{dr^2}{r^4} \left(r^2 Q_s^2(x) \right)^2 \sim \frac{Q_s^2(x)}{Q^2} \propto x^{-\lambda}$$

At sufficiently high scale @ high energy, gluon saturation cuts off the large dipole sizes at the semi-hard scale $1/Q_s$!

(see E.Iancu and many others)

Another view: QCD factorisation for diffractive events



Proof of factorization for diffractive hard scattering

John C. Collins*

Penn State University, 104 Davey Lab, University Park, Pennsylvania 16802

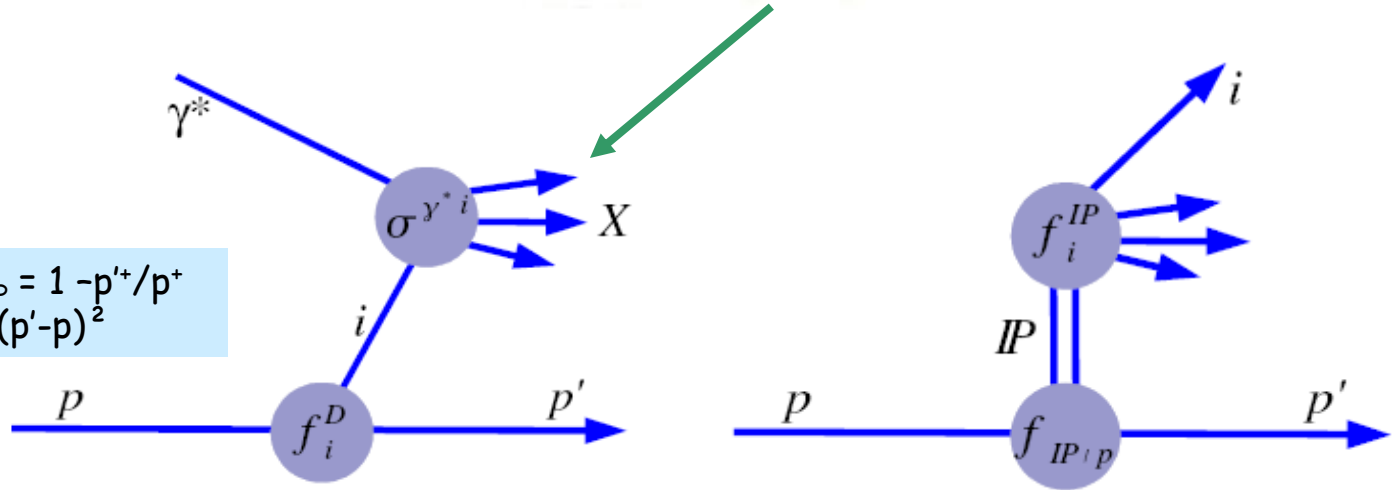
(Received 14 October 1997; published 6 February 1998)

A proof is given that hard-scattering factorization is valid for deep-inelastic processes which are diffractive or which have some other condition imposed on the final state in the target fragmentation region.

[S0556-2821(98)00507-4]

PACS number(s): 13.85.Ni, 12.38.Aw, 13.60.-r

$$x_{IP} = 1 - p'^+/p^+ \\ t = (p' - p)^2$$



$$f_{IP}(x_{IP}) = \int_{t_{cut}}^{t_{min}} e^{B_{IP} t} / (x_{IP}^{2\alpha_{IP}(t)-1}) dt$$

QCD (Collins) factorisation at fixed x_{IP} & t

$$d\sigma_{parton i}(ep \rightarrow eXY) = f_i^D(x, Q^2, x_{IP}, t) \otimes d\hat{\sigma}^{ei}(x, Q^2)$$

Proton vertex factorisation of the x_{IP} dependence (hypothesis not rooted in QCD)

$$f_i^D(x, Q^2, x_{IP}, t) = f_{IP/p}(x_{IP}, t) \cdot f_i^{IP}$$



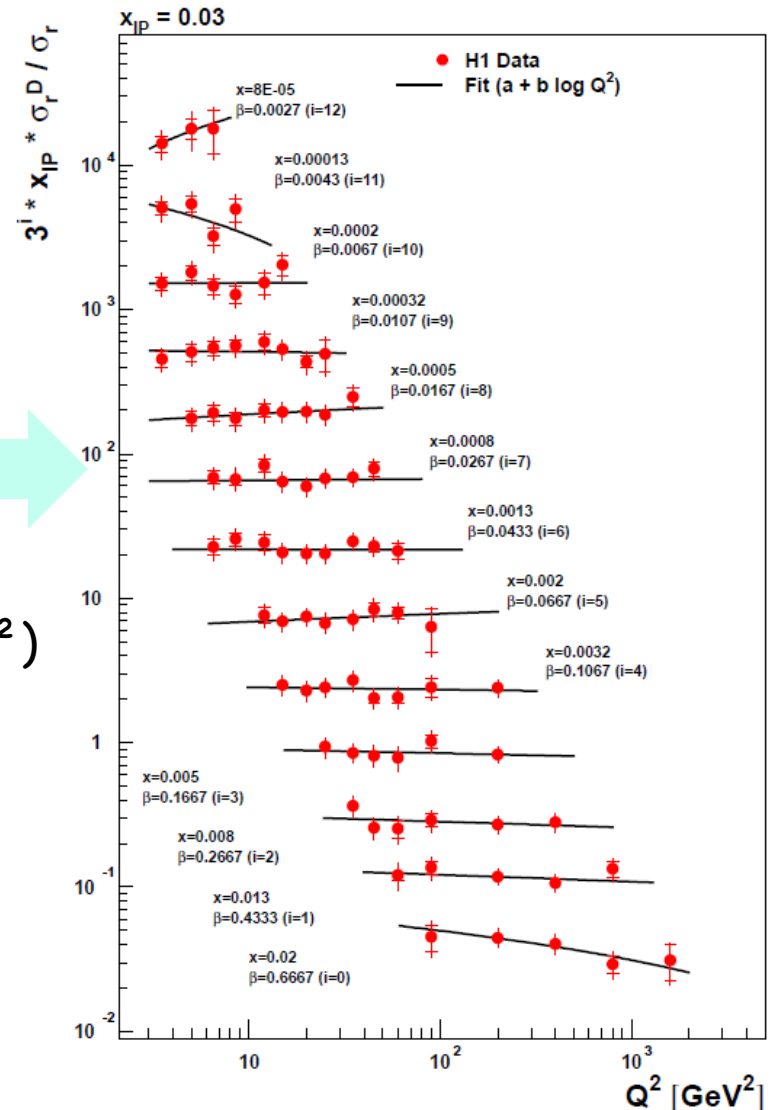
dPDFs

Before quants: experimental support of the Collins factorisation

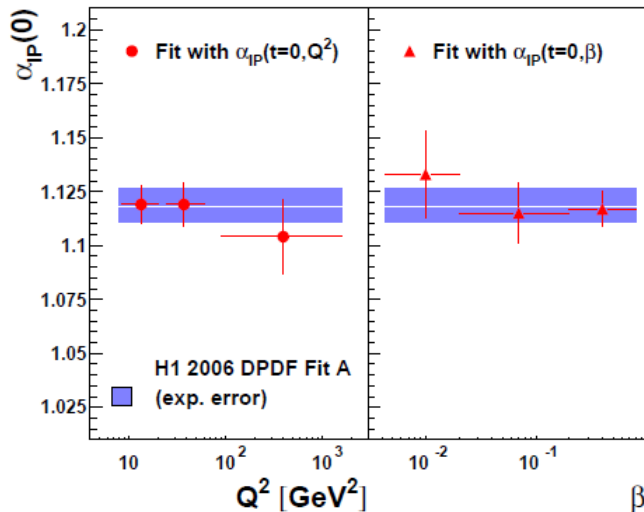
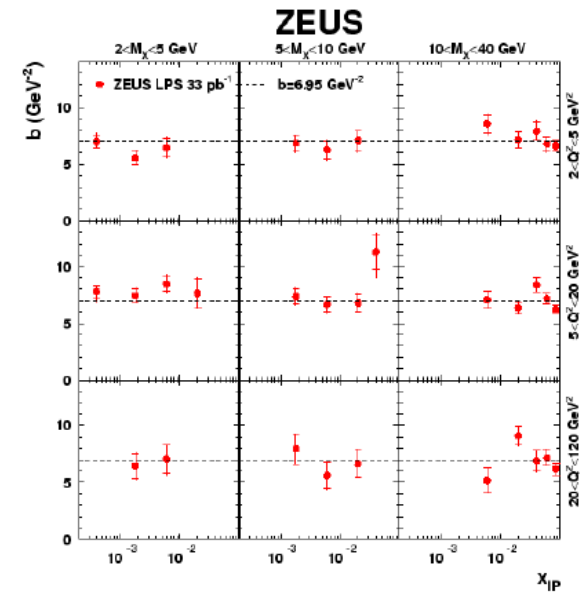
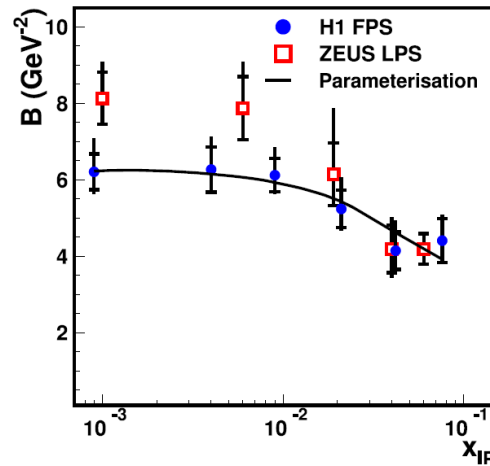
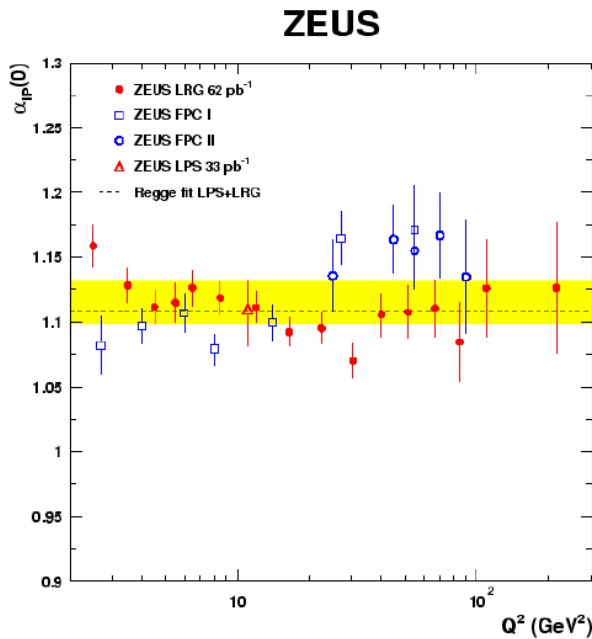
Look at the ratio of the diffractive to inclusive cross section

Observation: Q^2 dependence approximately similar for diff and incl...

Support the fact that evolution equations(Q^2) can be applied for diff...
(// standard inclusive F2)



α_{IP} and t-slope determinations



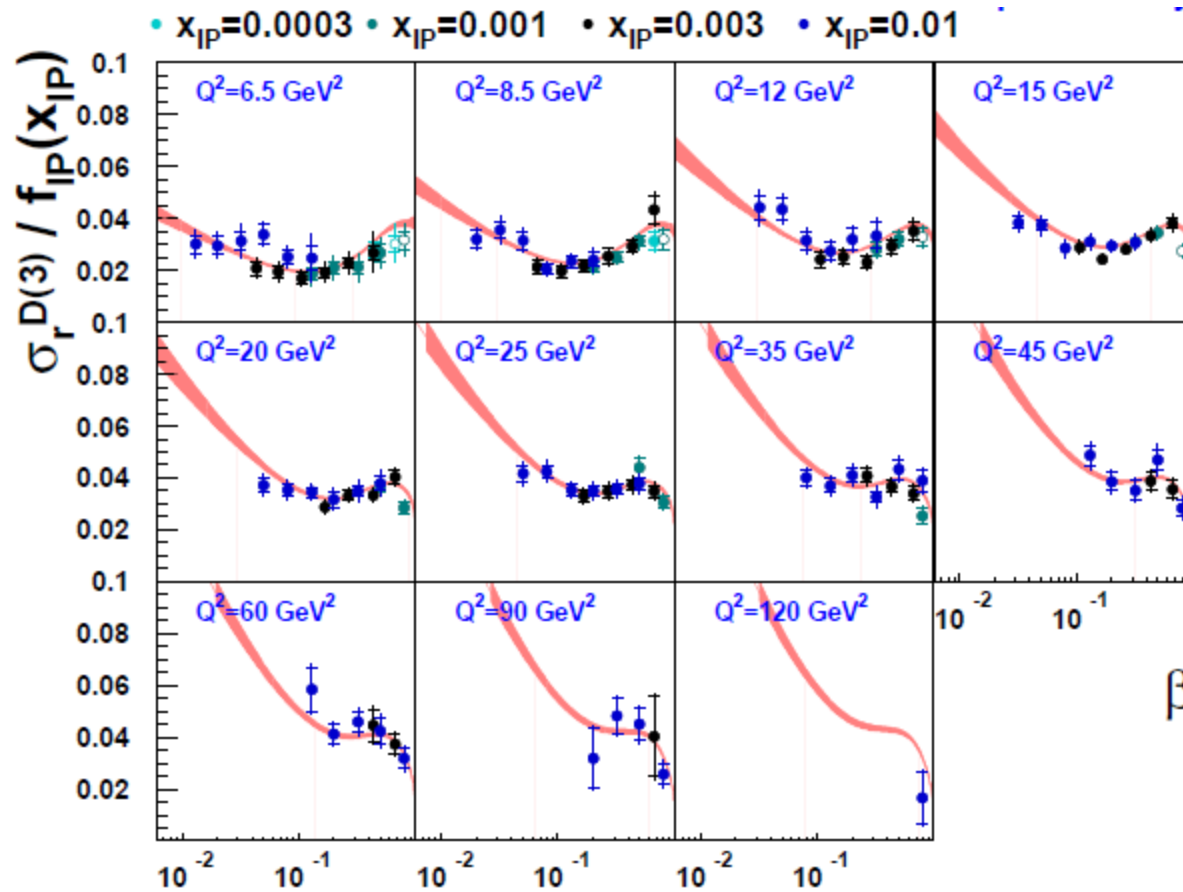
IP flux parameter: $\alpha_{IP}(t) = \alpha_{IP}(0) + \alpha' t$
 $\alpha_{IP}(0) = 1.11 \pm 0.02 \pm 0.02$
 // « soft Pomeron »
 (consistent between H1/ZEUS)

B (low x_{IP}) ~ 6-7 GeV⁻² for H1 and ZEUS

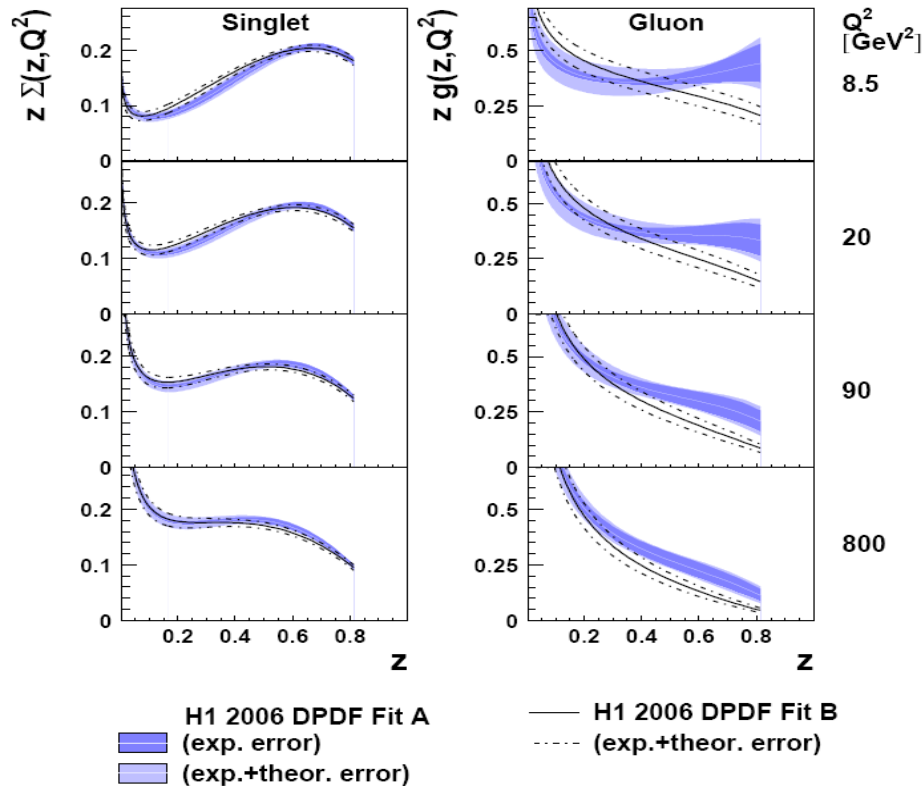
Why the « Regge » factorisation is reasonable?

$$a^D(x_P, z, Q^2) = f_P(x_P) a^P(z, Q^2)$$

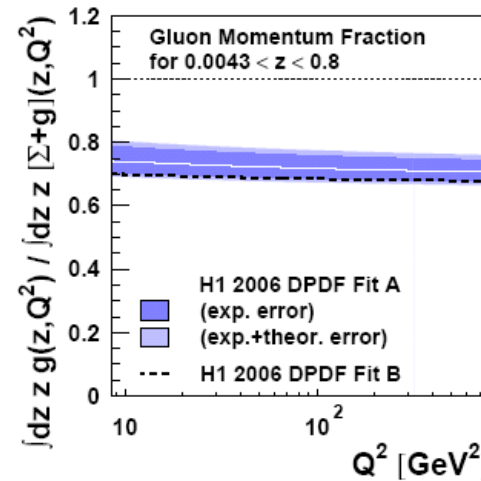
This means that if we divide F_2^D by $f_{IP}(x_{IP})$ the dependence in $(z=\beta, Q^2)$ must be the same for all x_{IP} values (small $x_{IP} < 10^{-2}$)...



Diffractive PDFs



Again (with another view)
 => Enhanced sensitivity to
 'saturation effects' of the gluon
 density at small x in the proton



Large gluon content (in the IP)
 carrying the main part of the momentum

Large uncertainty @ large β

As anticipated with the
 >0 scaling violations till
 large β

1st part:

Inclusive diffraction at HERA and the dynamical structure of the proton at low x ... Few words on Tevatron

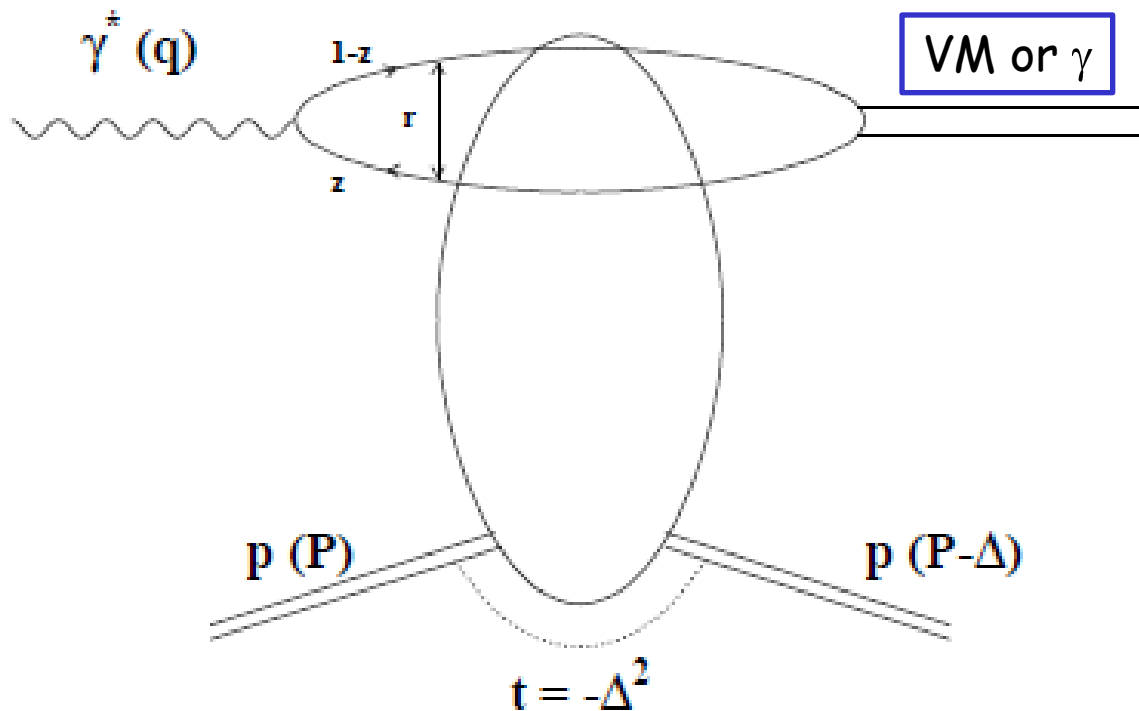
2nd part:

The spatial structure of the nucleon from exclusive processes

Summary

Processes under study

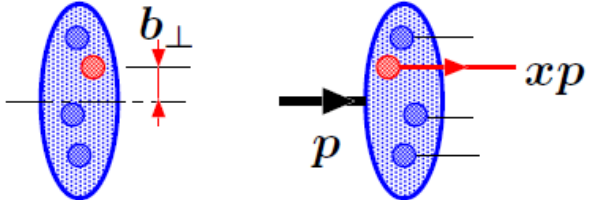
Exclusive production of Vector Mesons or real photon (DVCS)
DVCS:= Deeply Virtual Compton Scattering



t is the momentum exchange (squared) at the proton vertex

Nucleon structure from the Basic principle

The Fourier transform of the square root of the cross section (VM) is directly related to the S matrix

$$S(x, r_Q, b) = 1 - \frac{1}{2\pi^{3/2} N(Q)} \int d^2 \Delta e^{-i\Delta b} \sqrt{\frac{d\sigma}{dt}}$$


b ($:=b_{\perp}$) is the impact parameter in the proton

$N(Q)$ is a flux factor (coming from the overlap of γ^* and VM wave function)

S tells us how dense the nucleon looks like!

$S=0$ means blackness (unitarity limit)

and $1-S^2$ is the interaction probability of the γ^* (or dipole) that hits the nucleon at impact parameter b

Program: Measure $d\sigma/dt$, extract S and then conclude on the proton structure

Result from ρ meson from HERA[Q^2]

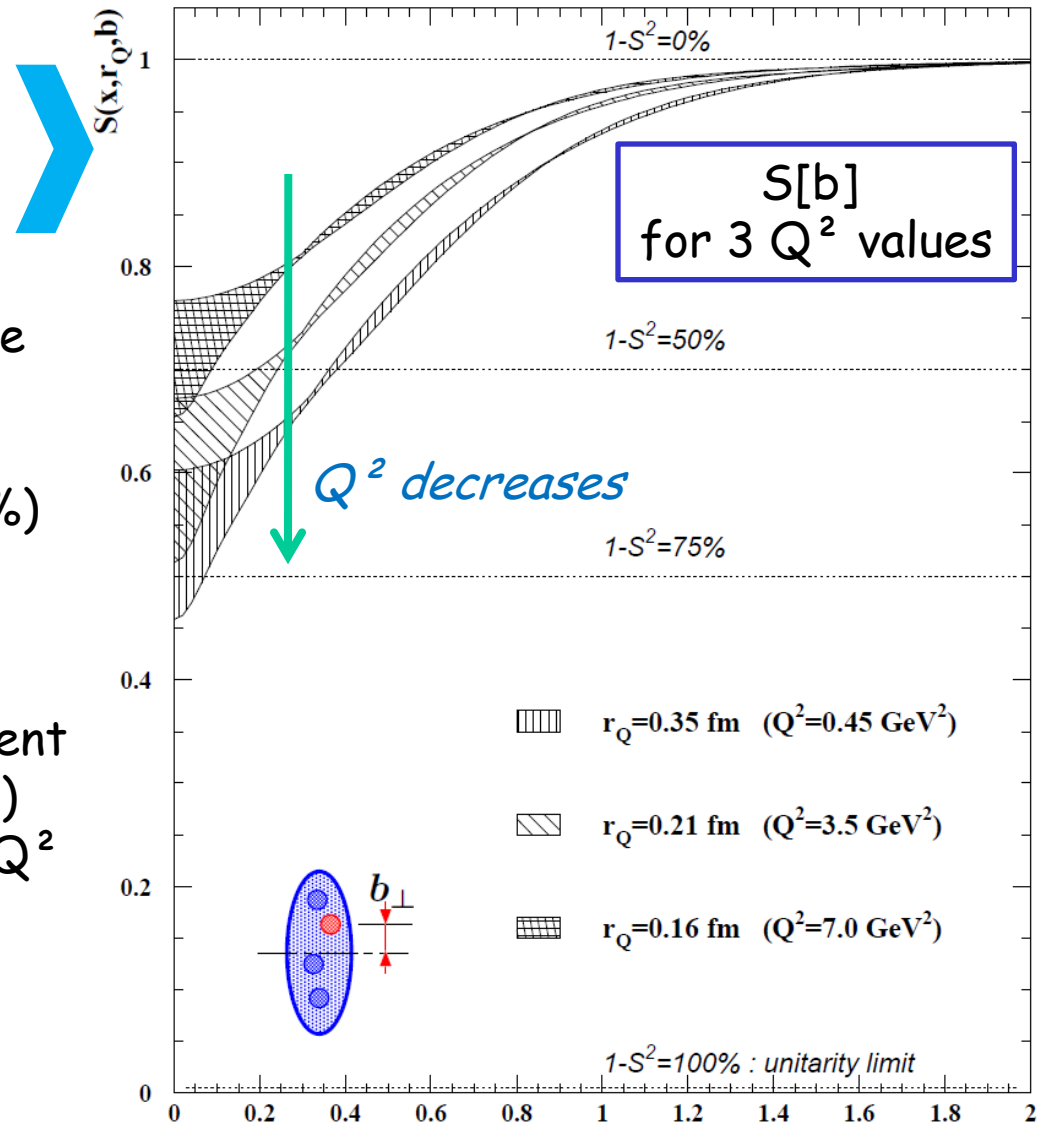
Analysis done for $x < 10^{-2}$
with HERA data on ρ exclusive
production

Large error at small b due to the
lack of data for $|t| > 0.6 \text{ GeV}^2$

Interaction probability $> 50\%$ (75%)
in the center of the proton
 $b < 0.3 \text{ fm}$ (« black disk »)

And then, proton is more transparent
when b is increasing ('grey area')
(more transparent also at larger Q^2
-smaller dipole (probe) size-
similar to optics)

Similar results for J/ψ



Imaging the quark/gluon structure of the proton

Historical measurement:

In 1955, R. Hofstadter measures the elastic cross section $ep \rightarrow ep$

$$d\sigma/dt \sim |F.F.[-\Delta^2]|^2 \quad (\text{F.F.} := \text{Form Factor}) \quad \Delta = \mathbf{p}' - \mathbf{p}$$

$$\text{Then } \rho(\mathbf{r}) = \int d^3\Delta / (2\pi)^3 \exp(i\Delta\mathbf{r}) F.F.(-\Delta^2)$$

\Rightarrow Charge Radius of the proton ~ 0.8 fm

Imaging the quark/gluon structure of the proton

Historical measurement:

In 1955, R. Hofstadter measures the elastic cross section $ep \rightarrow ep$

$$d\sigma/dt \sim |F.F.[-\Delta^2]|^2 \quad (\text{F.F.} := \text{Form Factor}) \quad \Delta = \mathbf{p}' - \mathbf{p}$$

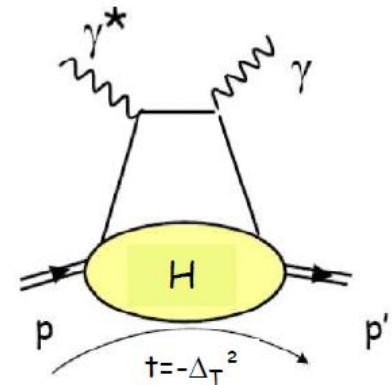
$$\text{Then } \rho(\mathbf{r}) = \int d^3\Delta / (2\pi)^3 \exp(i\Delta\mathbf{r}) F.F.(-\Delta^2)$$

\Rightarrow Charge Radius of the proton ~ 0.8 fm

DVCS (Deeply Virtual Compton Scattering): $\gamma^* p \rightarrow \gamma p$
is extending this seminal work:

$$d\sigma/dt \sim |H(x, -\Delta_T^2)|^2 \quad \text{with } x \sim x_{\text{Bjorken}}$$

where $H(x, t)$ generalises the concept of FF for given x



Imaging the quark/gluon structure of the proton

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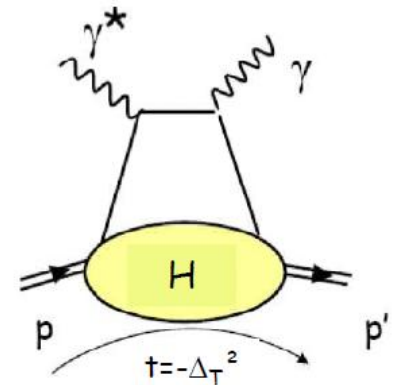
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where $H(x, t)$ generalises the concept of FF for given x



$$q(x, \mathbf{r}_T) = \int d^2\Delta_T / (2\pi)^2 \exp(i\Delta_T \mathbf{r}_T) H(x, -\Delta_T^2)$$

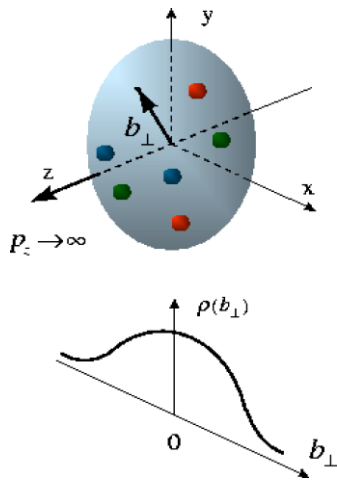
H is called a GPD
Generalised PDF

With DVCS, we probe the spatial extend (Tansverse) of parton[x] in the nucleon

GPD as a generalisation of PDFs and F.F.

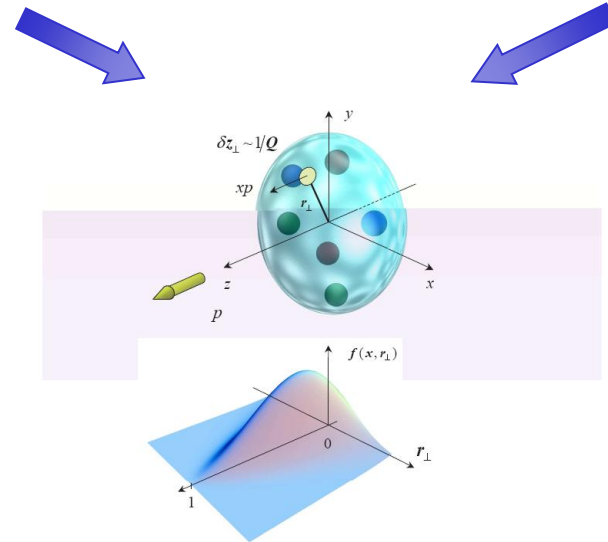
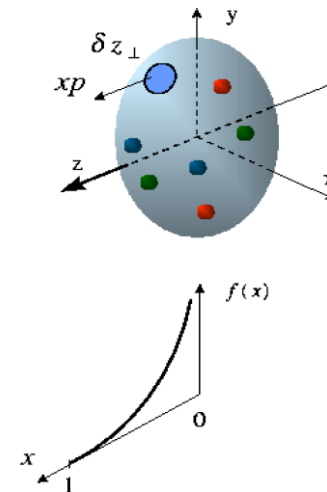
form factors

location of partons in nucleon



parton distributions

longitudinal momentum fraction x



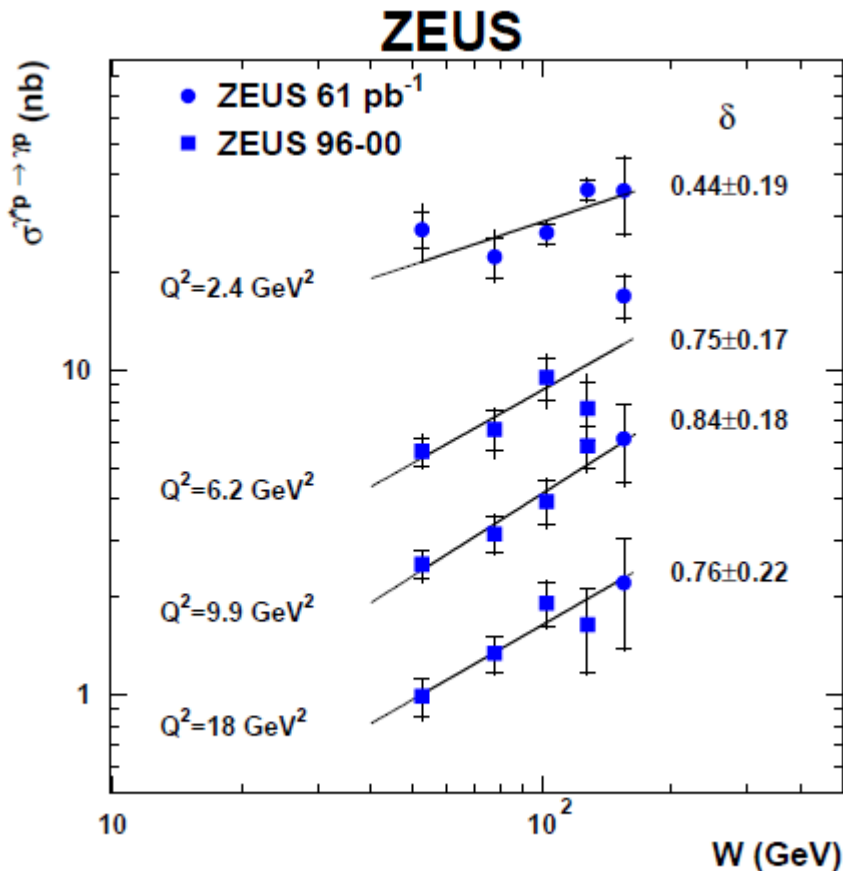
generalised parton distributions (GPDs)

longitudinal momentum fraction x at transverse location \underline{b}

only known framework to gain information on 3D picture of hadrons

DVCS and the Bjorken limit (at low $x \sim 10^{-3}$)

First, we need to prove experimentally that DVCS measured (at HERA) is a hard process: $e p \rightarrow e \gamma p$



In average:

$$\sigma_{\text{DVCS}} \sim W^\delta \text{ with } \delta \sim 0.6$$



**** Hard (QCD) process**



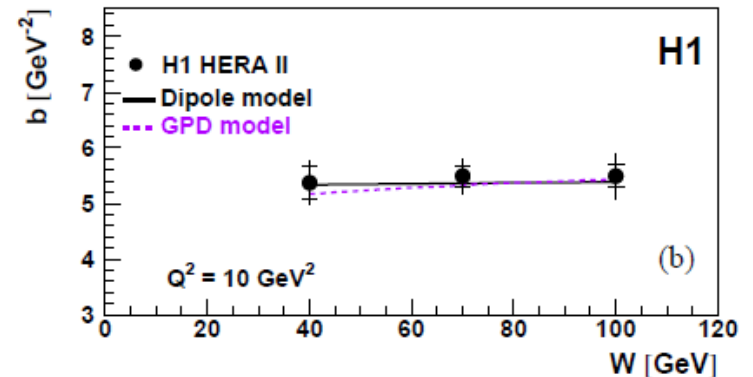
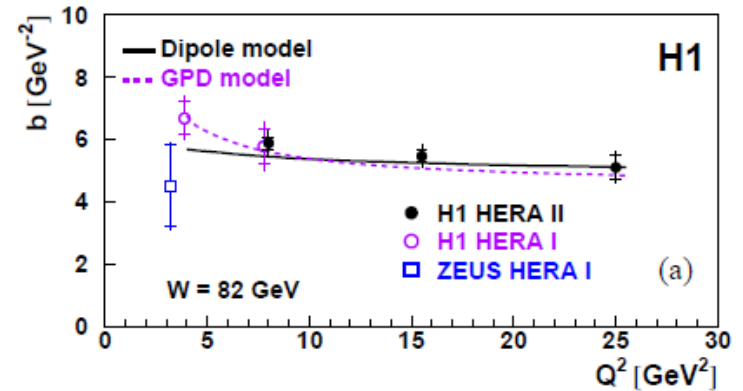
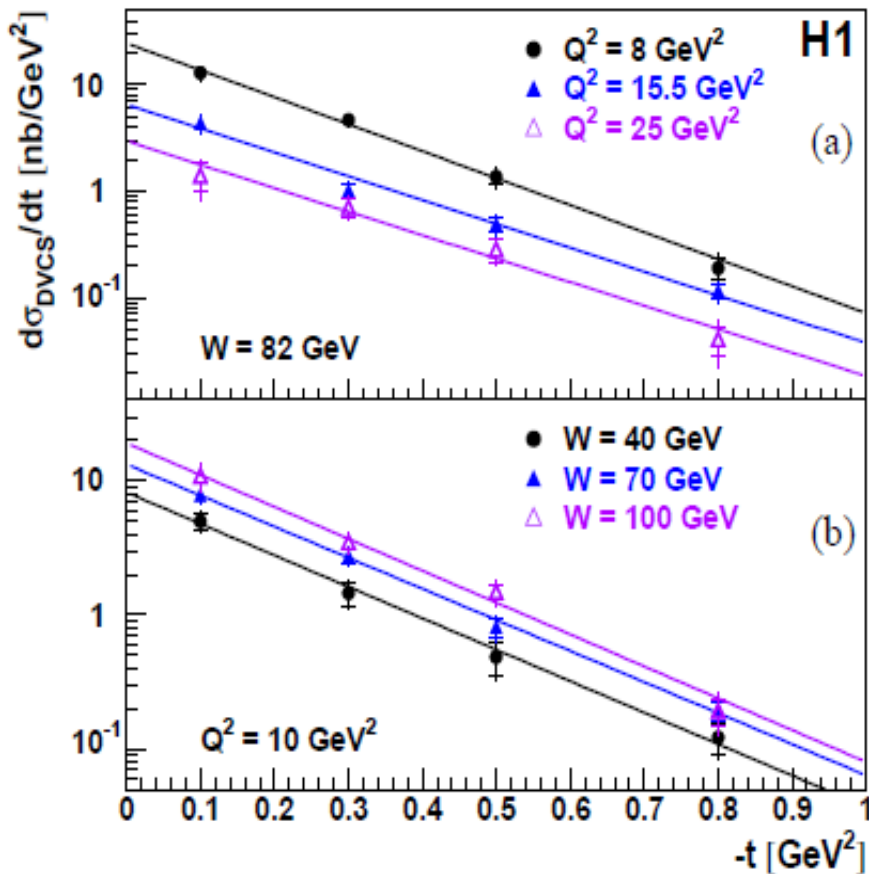
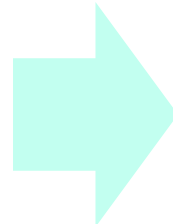
**** Factorisation makes sense**
Note: $\delta \sim 0.2-0.3$ for soft reactions

Experimental results

Very efficient parameterisation of the t dependence at low $x \sim 10^{-3}$
 $d\sigma_{\text{DVCS}}/dt \sim \exp(bt)$



In average $Q^2 > 5 \text{ GeV}^2$
 $b = 5.41 \pm 0.14 \pm 0.31 \text{ GeV}^{-2}$
 which gives \Rightarrow
 $[\langle r_T^2 \rangle]^{1/2} = 0.64 \pm 0.02 \text{ fm}$



Comments on b and $[\langle r_T^2 \rangle]^{1/2}$

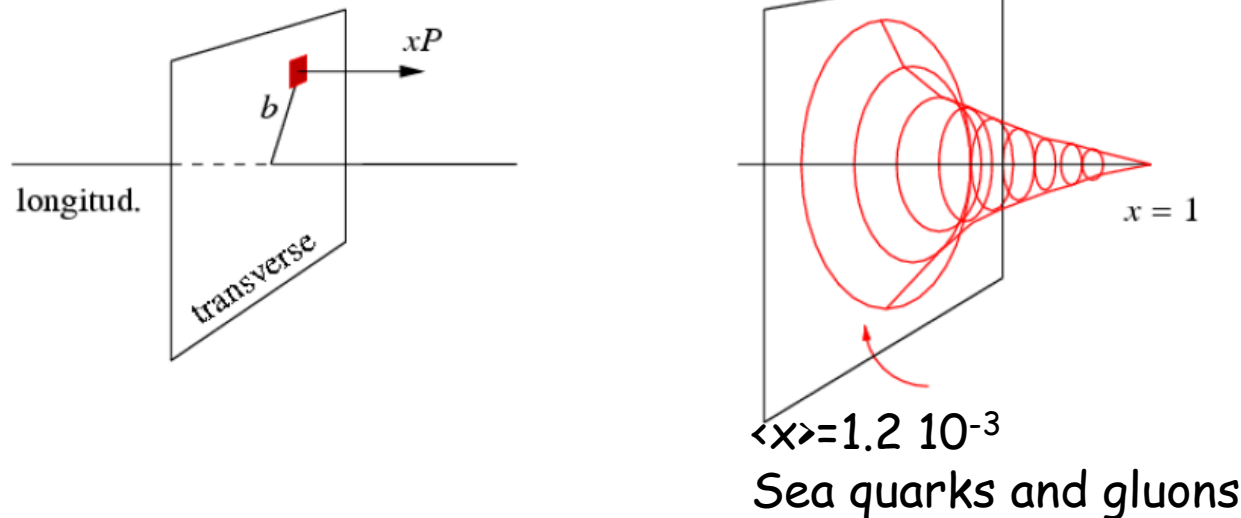
For $\langle Q^2 \rangle = 10 \text{ GeV}^2$ and $\langle x \rangle = 1.2 \cdot 10^{-3}$

$b = 5.41 \pm 0.14 \pm 0.31 \text{ GeV}^{-2}$ \longrightarrow The statistical limit is reached
 $[\langle r_T^2 \rangle]^{1/2} = 0.64 \pm 0.02 \text{ fm}$

Transverse width of the parton distribution (probed in the reaction)

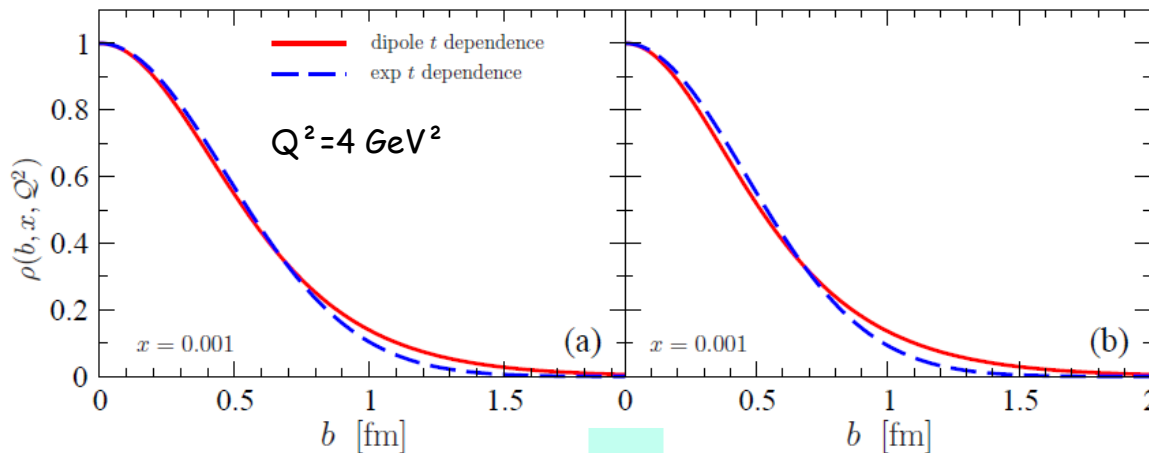
The spatial structure of the proton (in slices of x):

cloud of slow (low x) gluons/sea-quarks and a core of fast (large x) quarks...



More refined theoretical analysis of $[\langle r_T^2 \rangle]^{1/2}$

From Mueller et al. ('09), global fits of low x DVCS data (H1/ZEUS)+F2
 With different hypothesis on t dependences (and initial param of H)...



Profile distributions
 for sea-quarks and gluons
 in the proton
 @ $x=10^{-3}$

Similar results can be
 extracted from VMS data

$[\langle r_T^2 \rangle_{q \text{ or } g}]^{1/2} \sim 0.64 \text{ fm} : \text{OK}$

In pictures

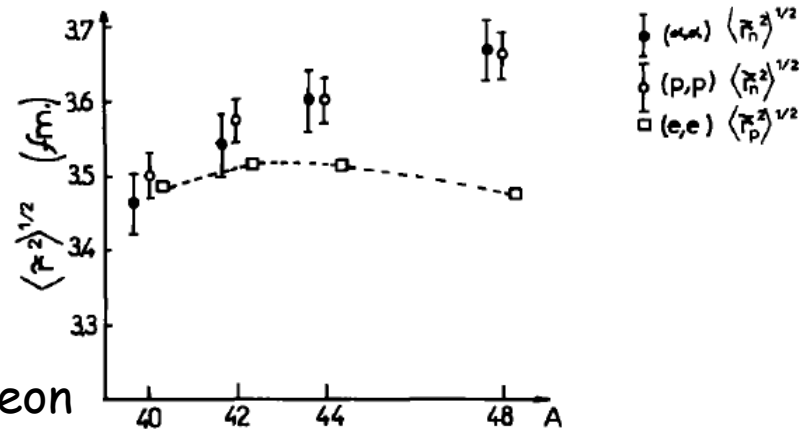
Reminder:

Diffraction on Calcium gives
the internal structure of the Calcium...

Similarly for exclusive processes

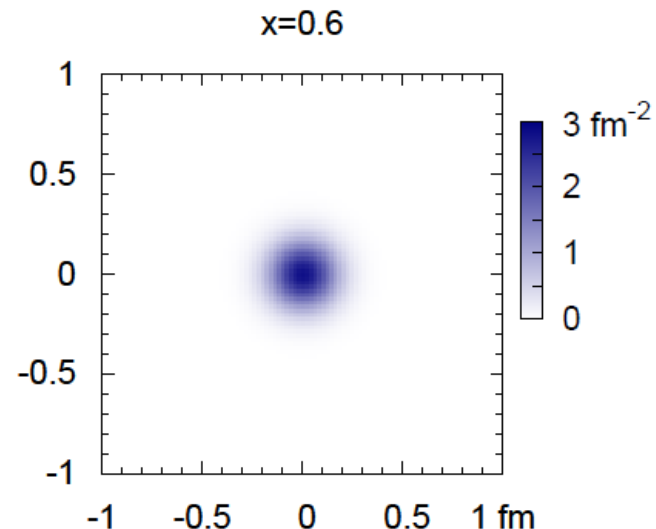
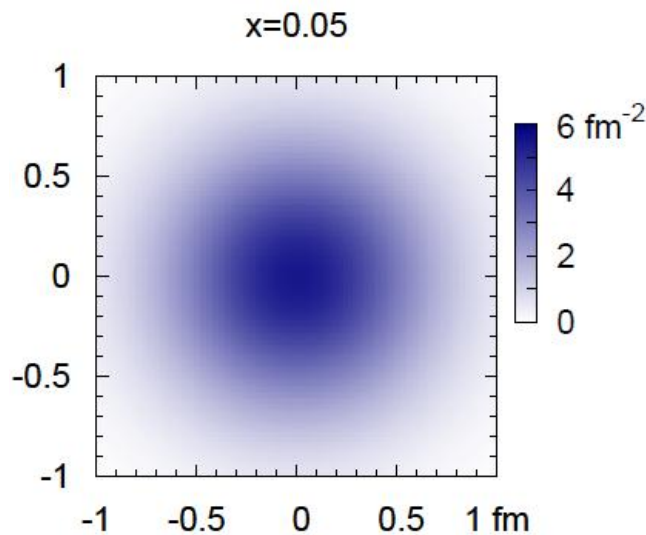
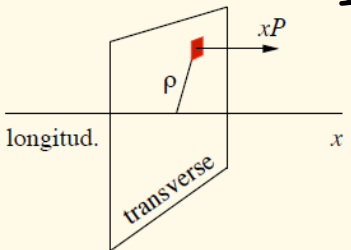
$f(t) \Rightarrow$ impact parameter distributions

Resolve the spatial structure of the nucleon



$$F_g(x, t) = \int d^2\rho e^{-i\vec{\Delta}_\perp \cdot \vec{\rho}} F_g(x, \rho)$$

Illustration of u_{valence} quark images (impact parameter in the proton)

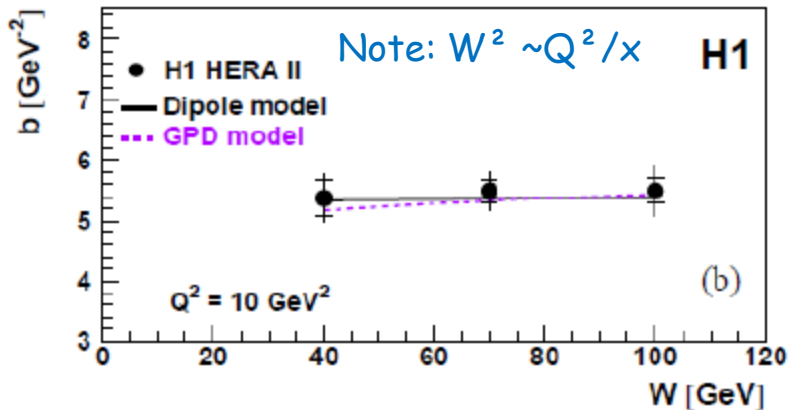


Remark 1: The interplay between x and t

We can examine the dependence of $B(x)$

Let's write $B(x) = B_0 + \alpha' \text{Log}(1/x)$

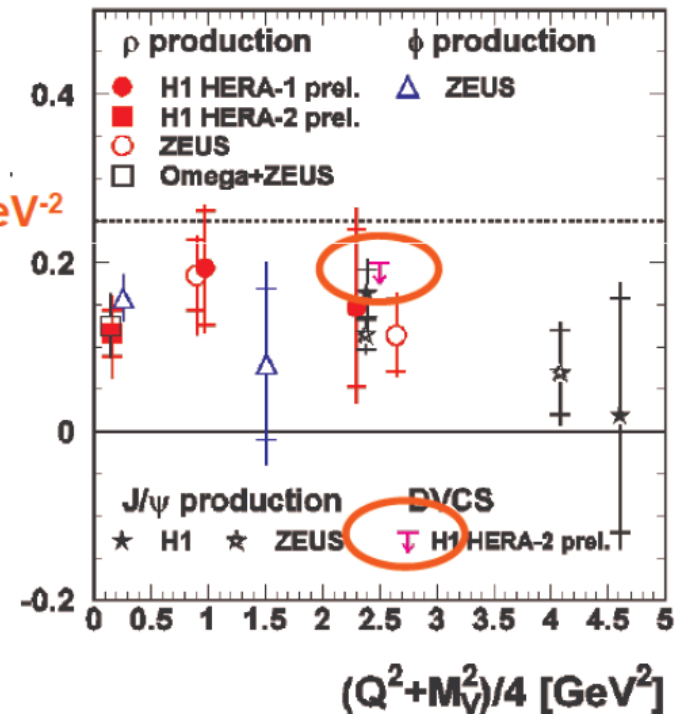
From previous slide, we know that α' is small



$\alpha' < 0.25 \text{ GeV}^{-2}$

For all VM + DVCS at HERA we observe a small value of α' and even smaller values when Q^2 is increased

Then, *negligible* interplay between x/t at small x ($x < 0.01$) [within errors]



Essential measure for GPD parameterization!

Remark 2: Another result from t-slopes measurements

We can measure inelastic DVCS: $ep \rightarrow eY\gamma$ (for $M_Y > 1.4 \text{ GeV}$)

Which gives \Rightarrow

$$\omega := [d\sigma_{inel}/dt / d\sigma_{el}/dt]_{t=0} \sim 0.25$$

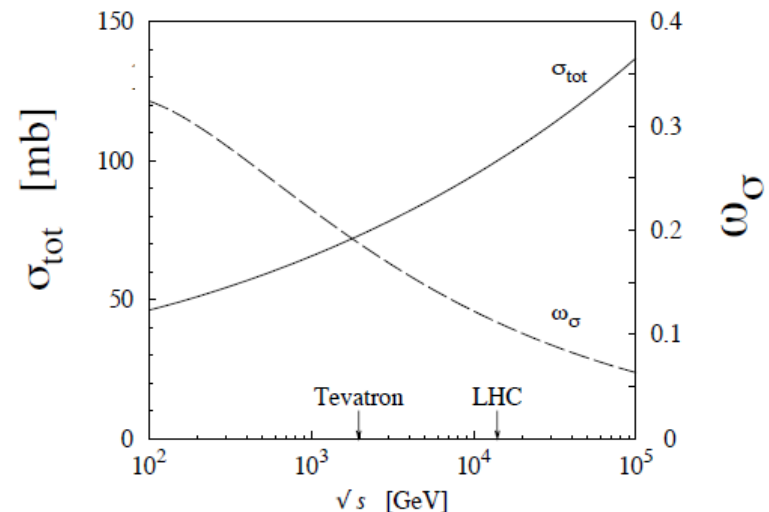
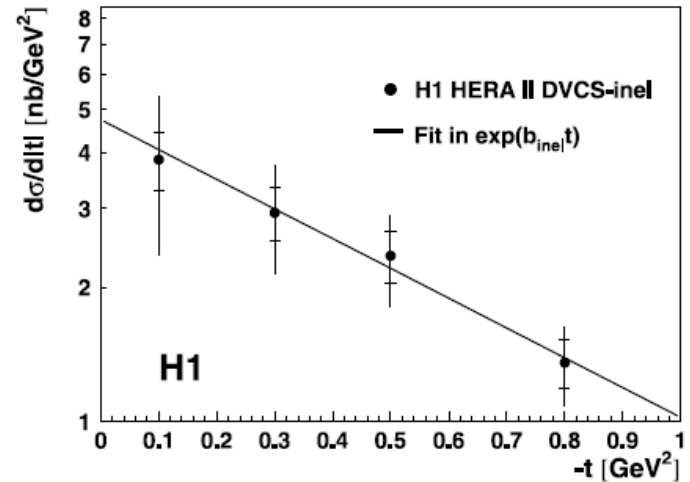
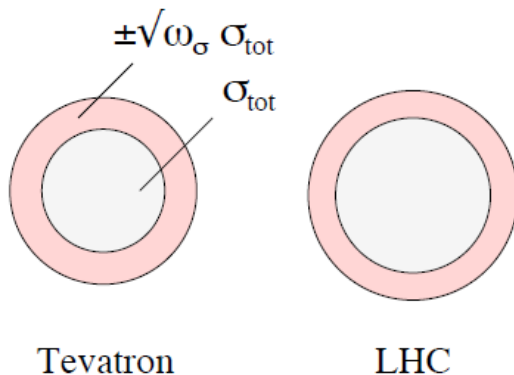
This ratio is quite universal among Vector Meson production *and independent of Q^2* !

Clearly related to fluctuations of the Gluon field in the proton

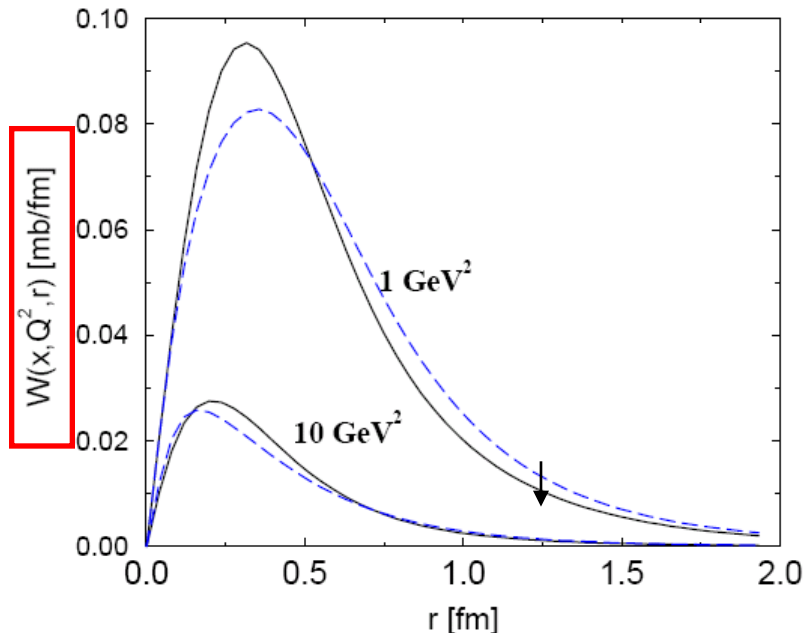
$$\omega \sim \langle G^2 \rangle - \langle G \rangle^2 / \langle G \rangle^2$$

Must be measured at different energies and compare with predictions

\Rightarrow Important result for pp scattering



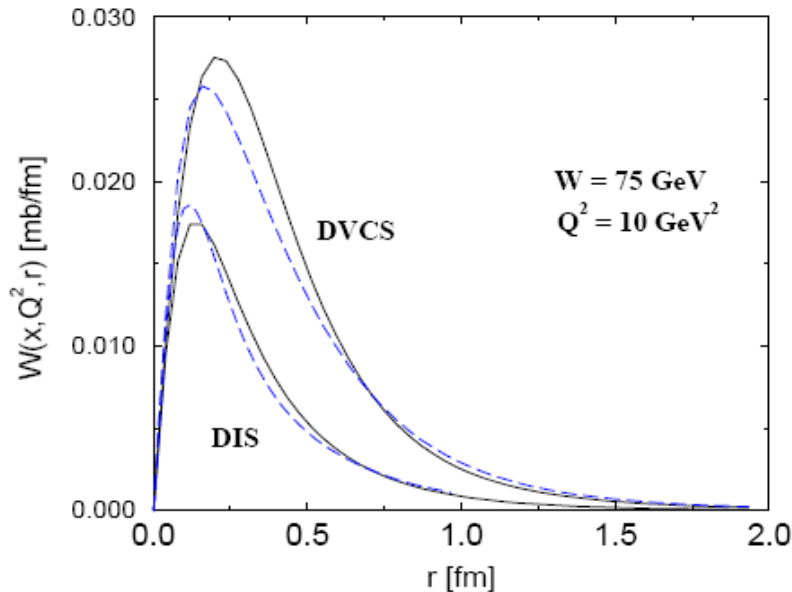
Remark 3: Dipole sizes DIS versus DVCS



$W()$ is the profile function
 $\Rightarrow \sigma(\text{DVCS}) = \int d^2r W()$

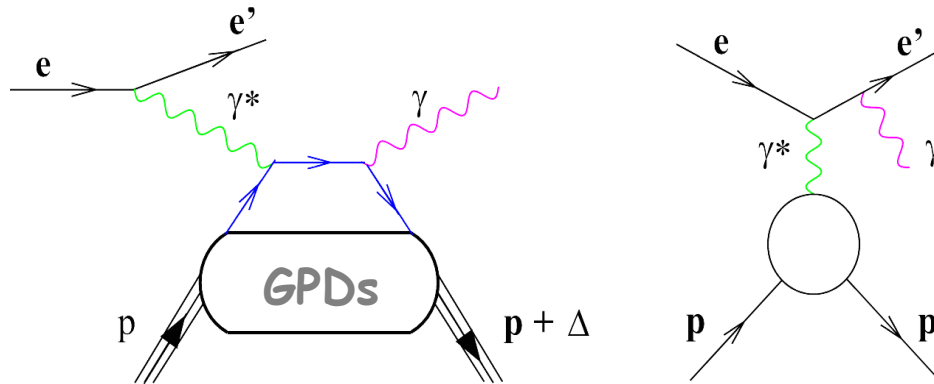
Where r is the size of the dipoles contributing to the DVCS process (size of the $\gamma^* := q\text{-}q\text{bar}$ pair)

With increasing Q^2 , the contribution of large size configurations decreases rapidly... (QCD)



If we compare the profile function for DVCS & DIS @ same kinematics
 \Rightarrow The contributions of large size configs is larger in DVCS!
 (// diffractive reactions: DIS dominated by dipoles of $b \sim 1/Q$ and DIFF by $b \sim 1/Q_s$)

Sensitivity to GPD H: Beam Charge Asymmetry (BCA) Interference between QCD & QED at HERA



Principles:

DVCS and Bethe-Heitler (QED graphs) have the same final state
Both processes interfere

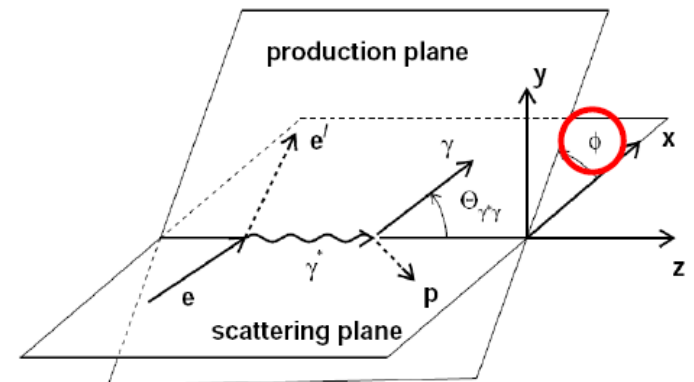
The BCA is sensitive to this interference

At HERA II, we have almost 150pb^{-1} for each set e^+p and e^-p
with ~ 0 average polarisation per set...

We measure:

$$A_C(\phi) = [d\sigma^+/d\phi - d\sigma^-/d\phi] / [d\sigma^+/d\phi + d\sigma^-/d\phi]$$

$$A_C(\phi) = p_1 \cos \phi = 2A_{BH} \frac{\text{Re}A_{DVCS}}{|A_{DVCS}|^2 + |A_{BH}|^2} \cos \phi$$

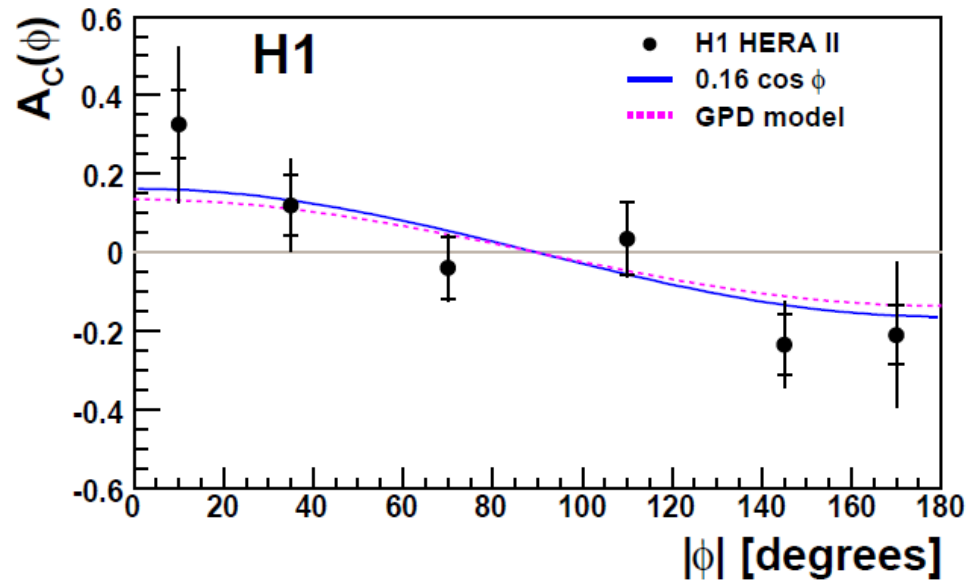


Proportional to a GPD (modulo a convolution with a known function)

Beam Charge Asymmetry (BCA)

Kin bin (H1):
 $x=1.2 \cdot 10^{-3}$
 $Q^2=10 \text{ GeV}^2$
 \Rightarrow

Extract one value
for $A_c(\cos\phi)$
for this bin...



We obtain $A_c(\phi) = (0.16 \pm 0.04 \pm 0.06) \cos(|\phi|)$

which gives:

$$\text{Re}A_{\text{DVCS}}/\text{Im}A_{\text{DVCS}} = 0.2 \pm 0.05 \pm 0.08$$

+ test of the dispersion relations

Then, $\text{Re}A_{\text{DVCS}}$ is an essential variable to constraint GPDs
Good description obtained by present GPD models

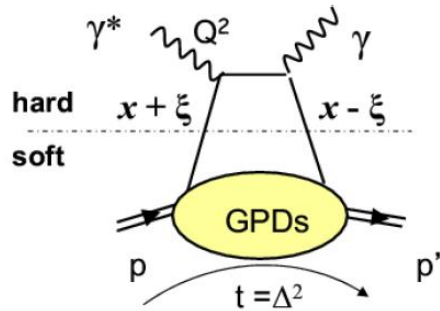
Beam Charge Asymmetry (BCA): another look

- From BCA & DVCS cross section, we can determine a key observable: $\eta = \text{Re}(a_{\text{DVCS}}) / \text{Im}(a_{\text{DVCS}})$

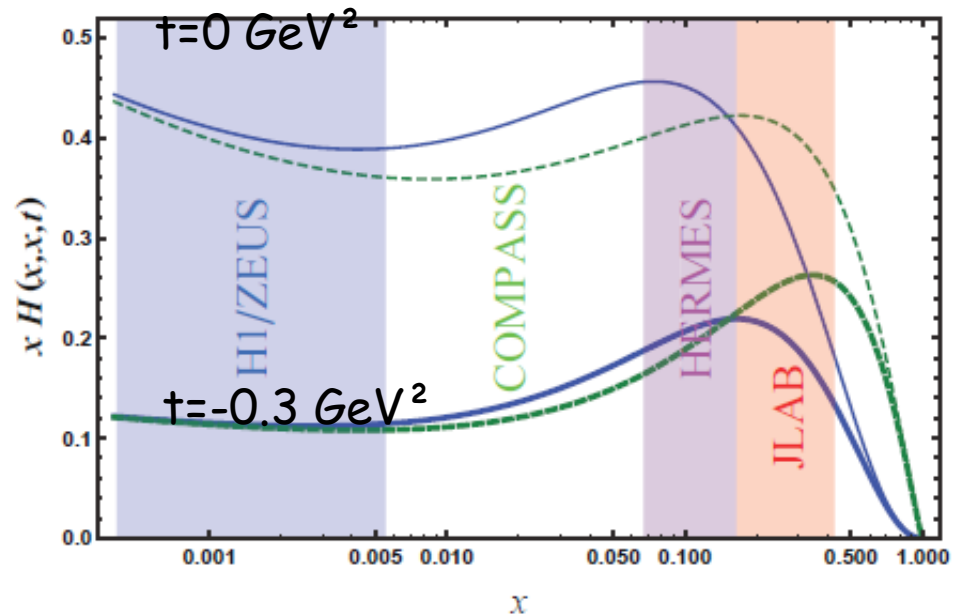
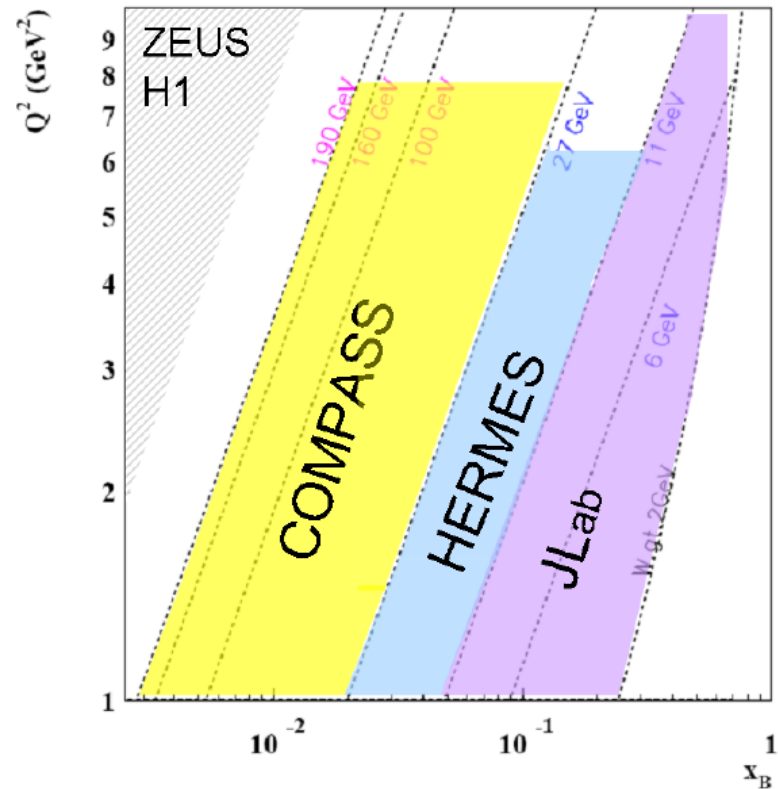
 $\Rightarrow \eta = 0.23 \pm 0.10$ (1)
- We have another way to extract this ratio from dispersion relations:
 $\eta = \text{Re}(a_{\text{DVCS}}) / \text{Im}(a_{\text{DVCS}}) = \tan(\pi/2 \delta/4)$
@ low x with $\sigma_{\text{DVCS}} \sim W^\delta$ with $\delta \sim 0.75$ (similar value for H1 & ZEUS)

 $\Rightarrow \eta = 0.28 \pm 0.07$ (2)
- Both values (1) & (2) are in good agreement \Rightarrow
Good confidence in the difficult BCA measurement...

The GPD experimental perspective

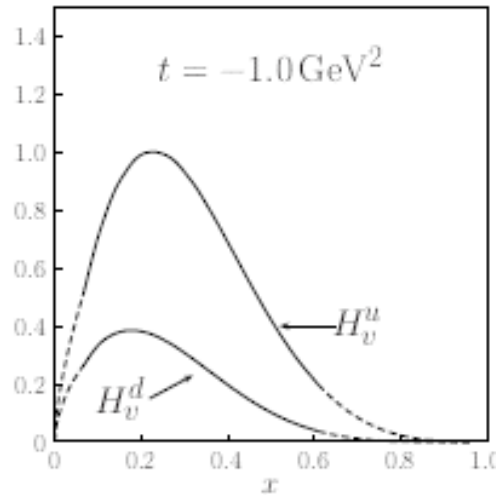
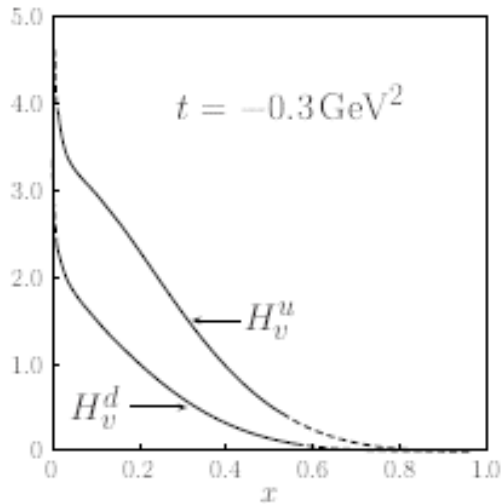


All experiments are useful in determination (fits) of GPDs: with the goal of a better understanding of how the proton is built up by partons



What GPDs(x, t) look like?

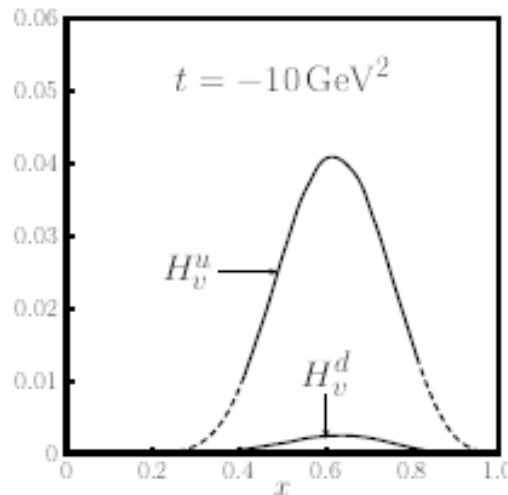
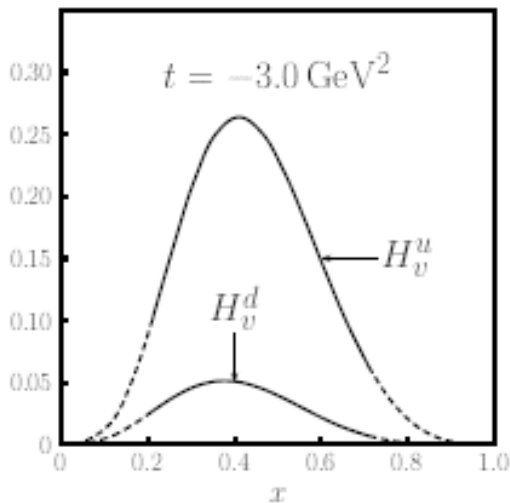
From Diehl et al.



Small t : close to PDFs

As $|t|$ is increasing

- (i) Presence of a maximum
- (ii) Shift of the maximum to higher x !
=> high $|t|$ means high x for the struck parton
// Feynman mechanism...



In the future, the aim is to improve this knowledge and also the general (x_1, x_2, t) dependence...

Summary (on F2D)

As an experimentalist, I want to remind that it took 10Y to get all the points on this plot of F2D! ... consequences on saturation effects in QCD are still under study...

H1 PRELIMINARY

