



MPI Results from the LHC

Tomas Hreus

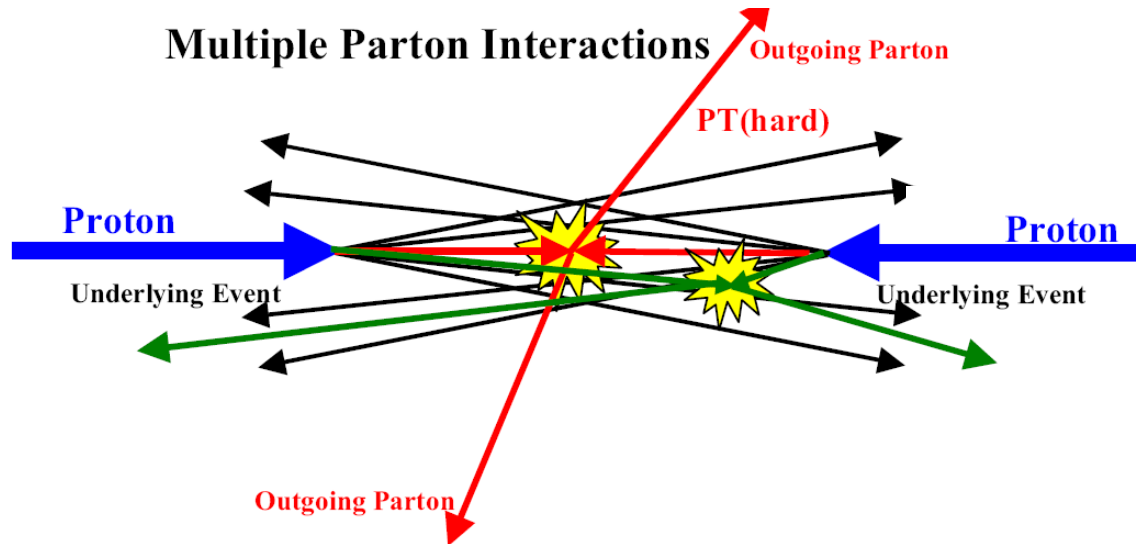
Université Libre de Bruxelles



EDS Blois Workshop

17 December 2011

Multiparton Interactions



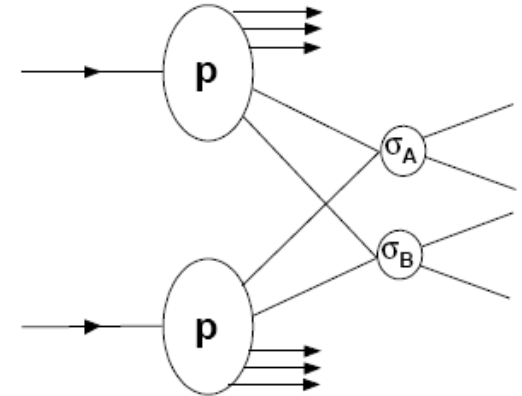
Soft QCD measurements → see talk by Michael Heinrich

Here focus on **Double Parton Interactions**

- DPS cross-section
- Prospects and measurements on DPS with jets in final state
- Prospects and measurements on DPS with lepton final states
- DPS in PbPb collisions

MPI at High-pT

- multiple parton interactions play an important role in hadron-hadron collisions at high energies and are one of the most common, yet poorly understood phenomenon at the LHC



Assume factorization of A and B:

$$\sigma_{DPS}^{AB} = \frac{m}{2} \sum_{i,j,k,l} \int \Gamma_{ij}(x_1, x_2; b_1, b_2; Q_1^2, Q_2^2) \hat{\sigma}_{ik}^A(x_1, x'_1, Q_1^2) \hat{\sigma}_{jl}^B(x_2, x'_2, Q_2^2) \\ \times \Gamma_{kl}(x'_1, x'_2; b_1 - b, b_2 - b; Q_1^2, Q_2^2) \times dx_1 dx_2 dx'_1 dx'_2 d^2 b_1 d^2 b_2 d^2 b,$$

Factorization of longitudinal & transverse components and two parton distributions =>

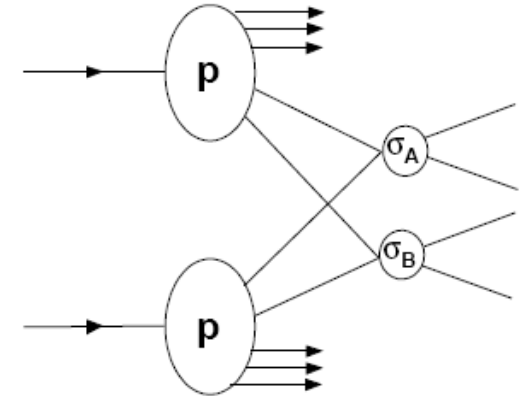
$$\sigma_{DPS}^{AB} = \frac{m}{2} \frac{\sigma_{SPS}^A \sigma_{SPS}^B}{\sigma_{eff}}$$

σ_{SPS}^A = inclusive cross section of **single** hard scattering

σ_{eff} = non-perturbative quantity related to transverse size of hadrons

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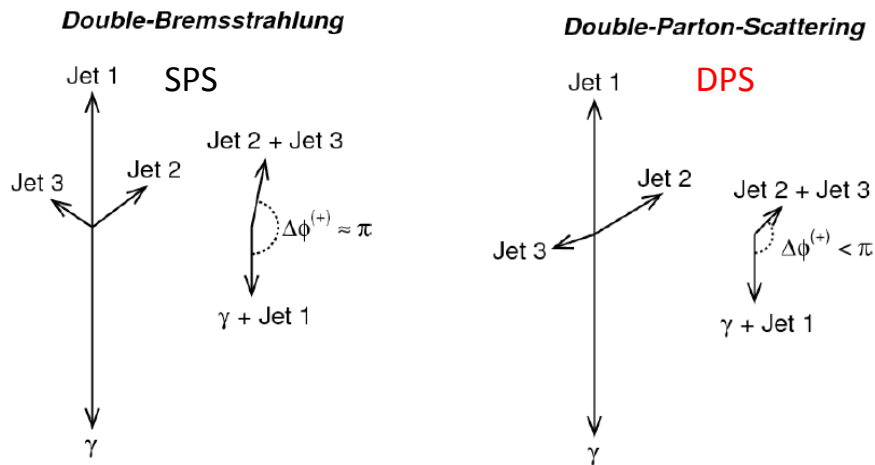
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>correlations btw parton distributions may change this simple relation of σ_{DPS} <

DPI and Jets

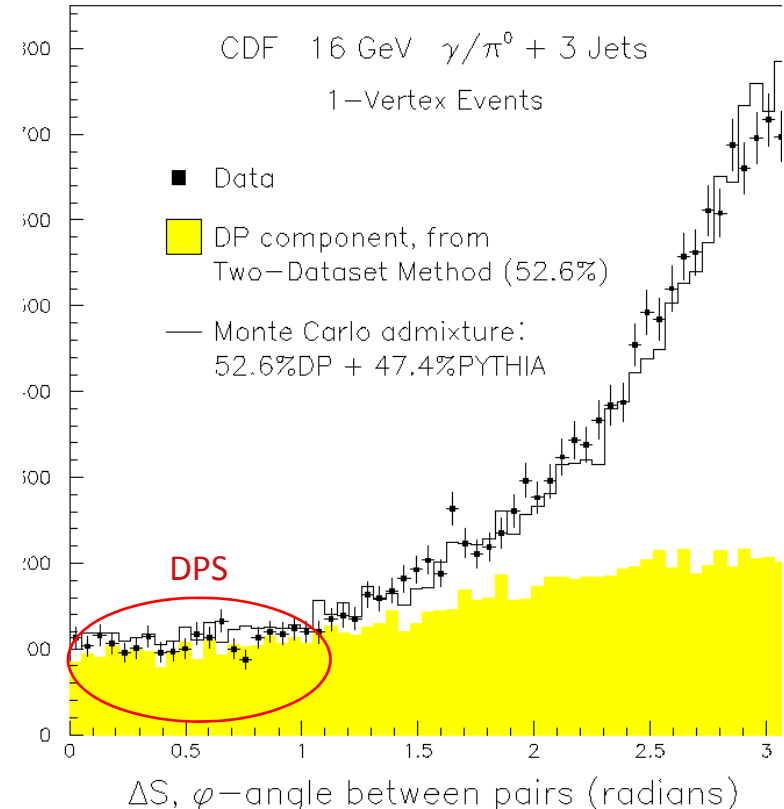
- the presence of multiple parton interactions in high-energy hadronic collisions has been convincingly demonstrated by the AFS, UA2, CDF and D0 Collaborations, using events with the four-jets and gamma + 3-jets final states



No correlation (**DPS**) vs Strong Correlation (SPS)

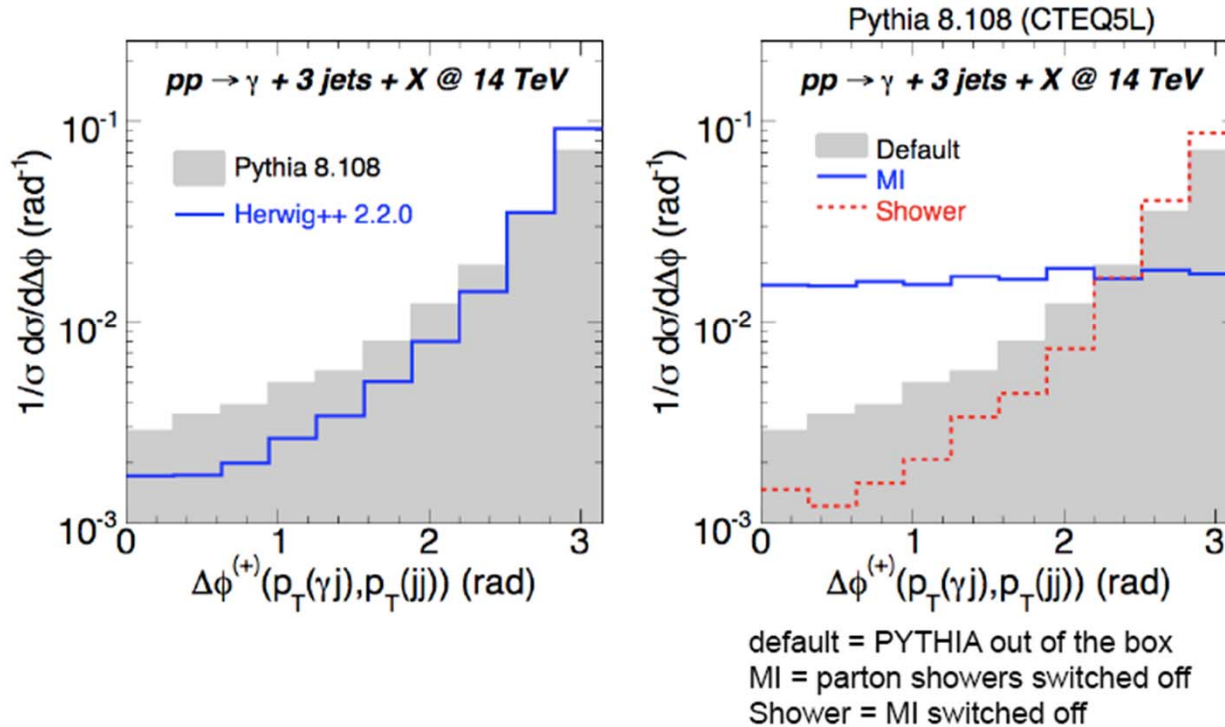
- discriminating variable: $\Delta\phi$ between $p_{T1} + p_{T2}$ and $p_{T3} + p_{T4}$

[CDF Collab, Phys. Rev. Lett. 79, 584 (1997)]



DPI and Jets

$$\Delta\phi^{(+)} = \angle(\vec{p}_T^\gamma + \vec{p}_T^1, \vec{p}_T^2 + \vec{p}_T^3)$$



Differential cross-section shape predictions for $\Delta\phi$
 - discrimination power clearly visible (shower scenario vs MI scenario)

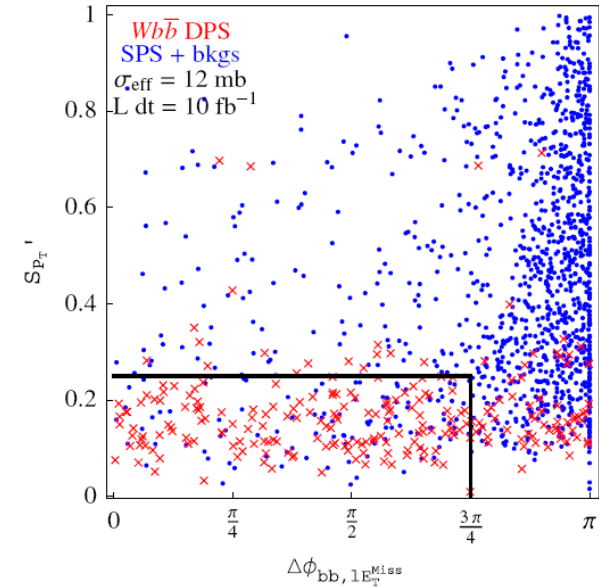
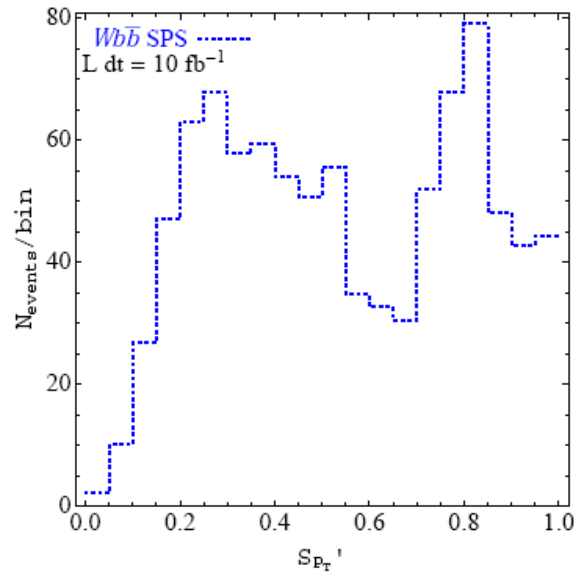
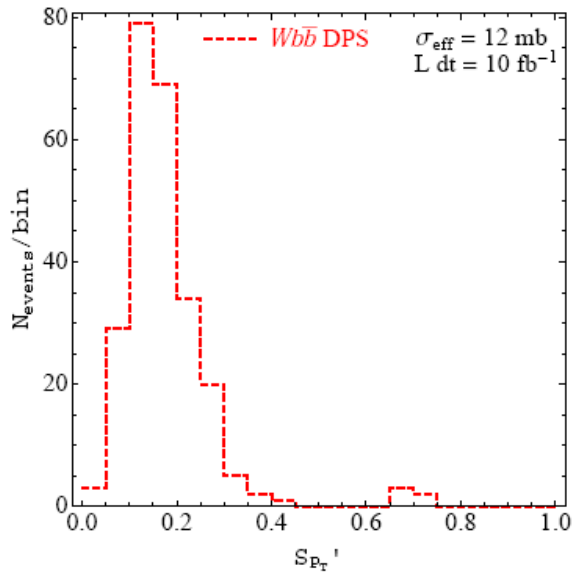
DPI and Jets: Wbb at NLO

$$d\sigma^{DPS}(pp \rightarrow Wb\bar{b}X) = \frac{d\sigma(pp \rightarrow WX)d\sigma(pp \rightarrow b\bar{b}X)}{\sigma_{\text{eff}}}$$

E. Berger, C. Jackson, S. Quackenbush, G. Shaughnessy
[\[arXiv: 1107.3150\]](https://arxiv.org/abs/1107.3150)

- new physics often has W or bb final states
- bb has large CS (μb)
- W easy to identify (lepton+mising energy)

$$S'_{p_T} = \frac{1}{\sqrt{2}} \sqrt{\left(\frac{|p_T(b_1, b_2)|}{|p_T(b_1)| + |p_T(b_2)|}\right)^2 + \left(\frac{|p_T(\ell, \cancel{E}_T)|}{|p_T(\ell)| + |\cancel{E}_T|}\right)^2}$$



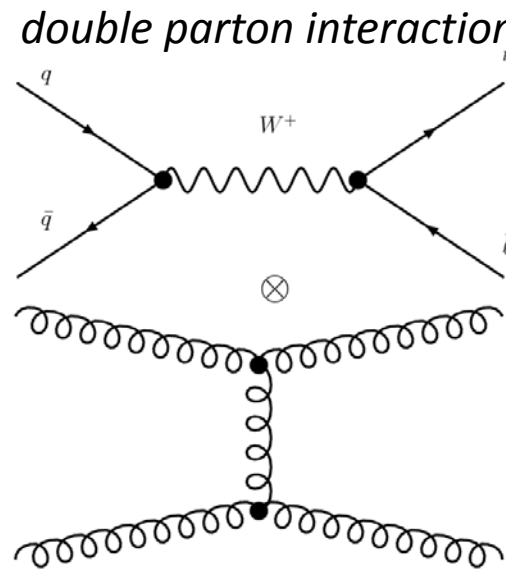
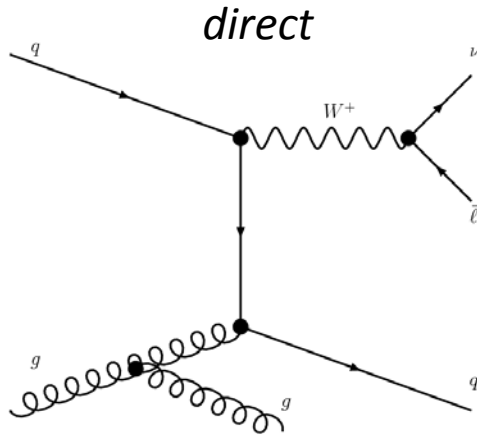
In DPS: bottom quarks produced back-to-back

In SPS: bottom quarks are not back-to-back

S'_{p_T} and $\Delta\phi_{bb, l E_T^{\text{miss}}}$ can differentiate DPS from SPS at excellent significance ($>12\sigma$)

W → lν + 2 jets

Production of W bosons in association with two jets in pp has been investigated by ATLAS



$$f_{DP}^R = \frac{N_{W_0+2jDPI}}{N_{W+2j}}$$

$$d\sigma_{W+2j}^{(tot)}(s) = d\sigma_{W+2j}^{(dir)}(s) + d\sigma_{W+2j}^{(DPI)}(s)$$

$$\sigma_{eff} = \frac{1}{f_{DP}^R} \cdot \frac{N_{W_0} N_{2j}}{N_{W+2j}} \cdot \frac{1}{\epsilon_{2j} L_{2j}}$$

- measure fraction of $W_0 + 2j_{DPI}$ in the $W+2jet$ sample (f_{DP}^R)
 - use difference in kinematics (p_T, \dots)
- σ_{eff}

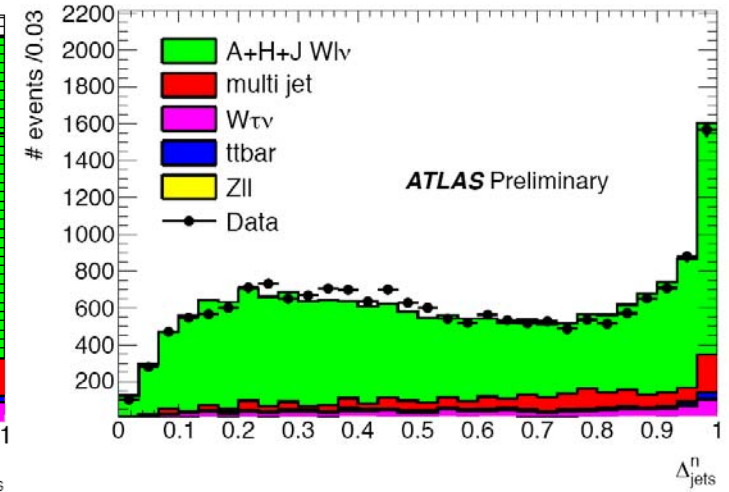
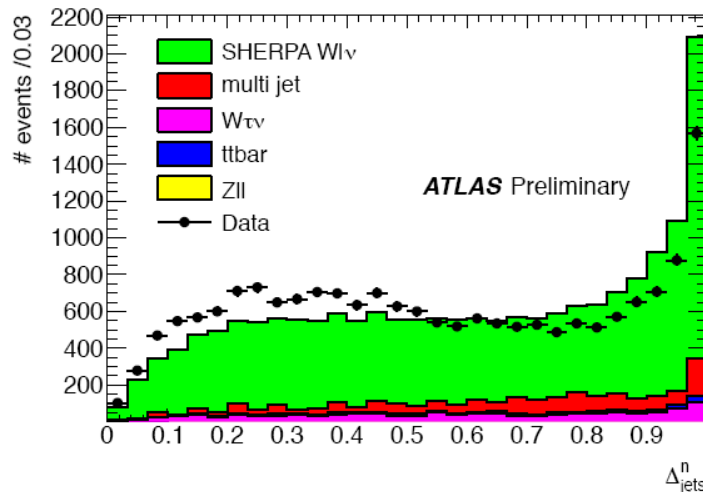
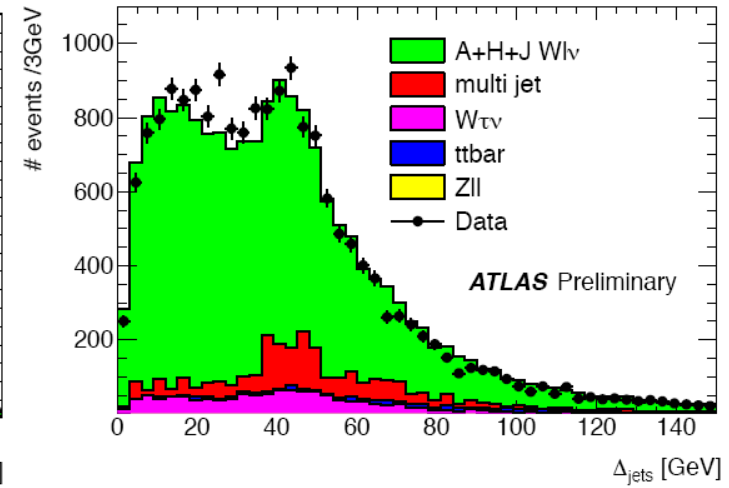
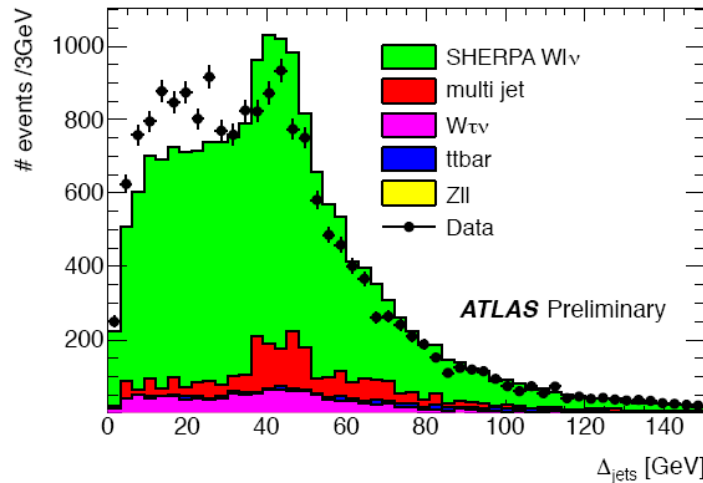
W selection
 Single lepton trigger
 1 lepton (e, μ) $p_T > 20$ GeV, $\eta < 2.5$
 MET > 25 GeV, $m_T > 40$ GeV
 2 jets, $p_T > 20$ GeV, $|y| < 2.8$

Jet selection
 Minimum bias trigger
 2 jets, $p_T > 20$ GeV, $|y| < 2.8$

$W \rightarrow l\nu + 2 \text{ jets} : \text{Topology}$

$$\Delta_{jets} = \left| \vec{p}_T^{J1} + \vec{p}_T^{J2} \right|$$

- parameterises degree of transverse separation btw jets



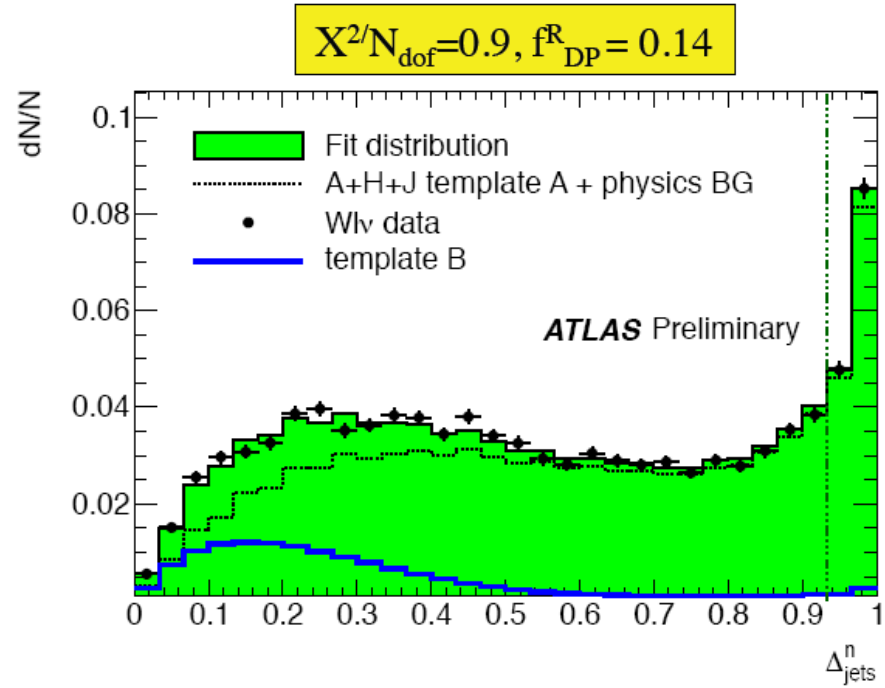
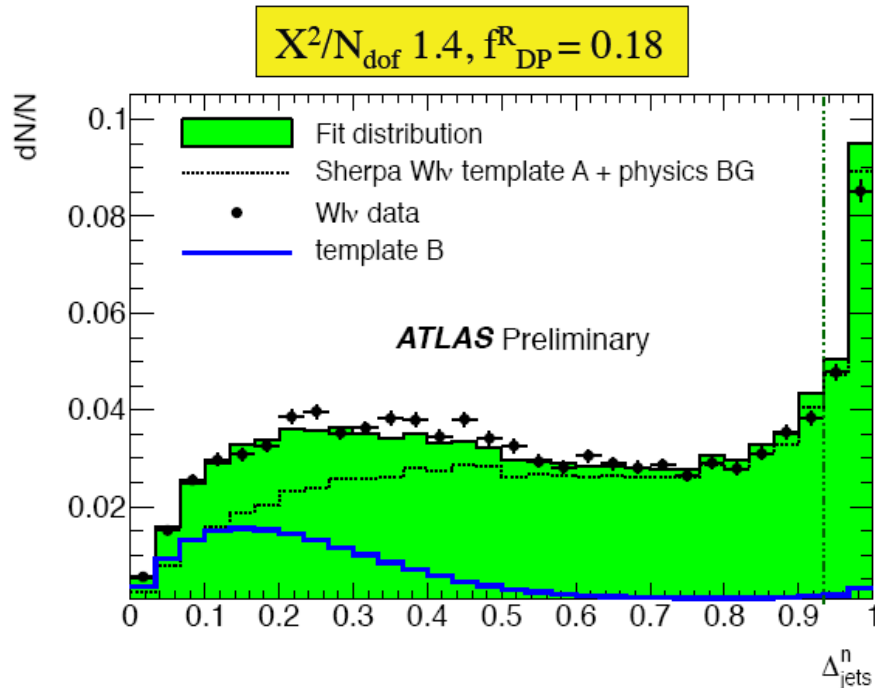
- Δ_{jets}^n selected to perform the fit over (more stable wrt jet energy)

- Alpgen+Herwig+Jimmy (default DPI settings) describe data well, Sherpa not so good

$W \rightarrow l\nu + 2 \text{ jets} : \text{DPI Rate}$

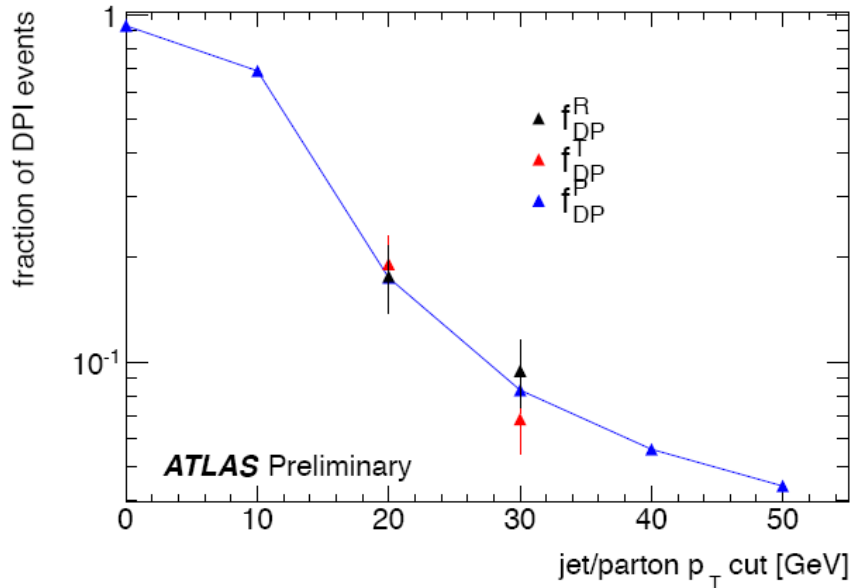
- Extraction of f_{DP}^R using fit to data with two templates
- **Template A** (nonDPI sample): both jets originate from the primary scatter
- **Template B** (a DPI sample) : both jets originate from the DPI scatter

$$(1 - f_{DP}^R) \cdot A + f_{DP}^R \cdot B$$



$$f_{DP}^R = 0.16 \pm 0.01 \text{ (stat.)} \pm 0.03 \text{ (sys.)}$$

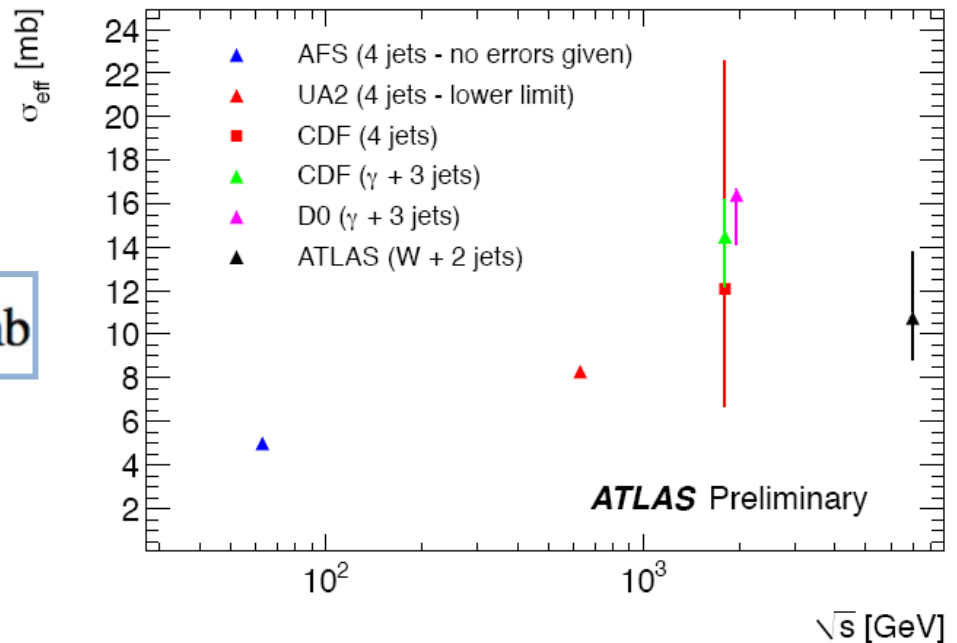
$W \rightarrow l\nu + 2 \text{ jets} : \sigma_{eff}$



$$\sigma_{eff}(7 \text{ TeV}) = 11 \pm 1 \text{ (stat.) } {}^{+3}_{-2} \text{ (sys.) mb}$$

- σ_{eff} consistent with Tevatron results
- s -dependence not excluded

- extracted component of DPI at the reco level (f_{DP}^R) is a good estimator of the value of f_{DP}^P at parton level
- both predicted and extracted DPI rate decrease as p_T cut is raised



DPS Prospects: Leptonic FS (4μ)

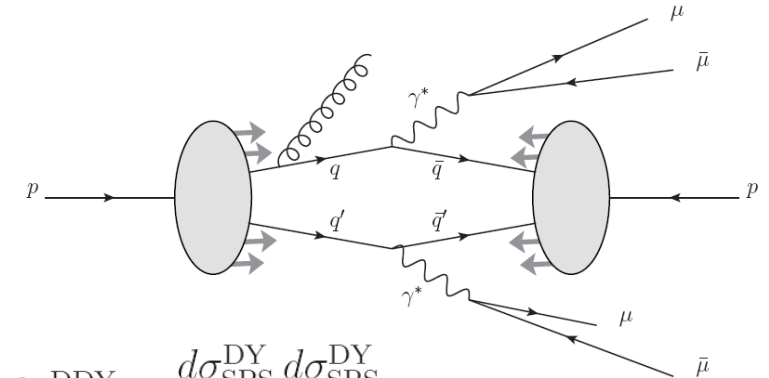
C.H. Kom, A. Kulesza, W.J. Stirling
[arXiv:1109.0309]

- DPS expected to peak at low p_T and low Q^2 phase space region \rightarrow challenge for jet physics

\Rightarrow *purely leptonic signatures offer a clean probe for underlying scattering mechanisms*

- DPS signal could be dominated by **double Drell-Yan production or a quarkonium pair** which decay into four leptons
 - DDY \rightarrow single DY theoretically well understood (standard candle for DPS?)

- **sensitivity to different initial state partons:** double J/ψ produced predominantly by four gluons, DDY by 2 $q\bar{q}$ pairs (at LO)
 - \Rightarrow correlations being probed are different; complementary input to double parton distributions



$$d\sigma_{\text{DPS}}^{\text{DDY}} = \frac{d\sigma_{\text{SPS}}^{\text{DY}} d\sigma_{\text{SPS}}^{\text{DY}}}{2\sigma_{\text{eff}}}$$

$$d\sigma_{\text{SPS}}^{\text{DY}} = \sum_{a,b} f_a(x_a, \mu_F) f_b(x_b, \mu_F) d\hat{\sigma}_{\text{SPS}}^{\text{DY}} dx_a dx_b$$

Using assumption:

- *longitudinal and transverse components of GPDFs can be factorised*
- *No longitudinal momentum correlations btw partons in the same hadron*

DPS Prospects: Double Drell-Yan

Simulation:

$$pp \rightarrow \gamma^* \gamma^* \rightarrow \mu^+ \mu^- \mu^+ \mu^-$$

DPS (Herwig++): two hard events generated using the built-in multi-parton scattering model

SPS (Madgraph+Herwig++): single+double resonance diagrams

ISR included, intrinsic p_T smearing of incoming partons applied (DPS+SPS)

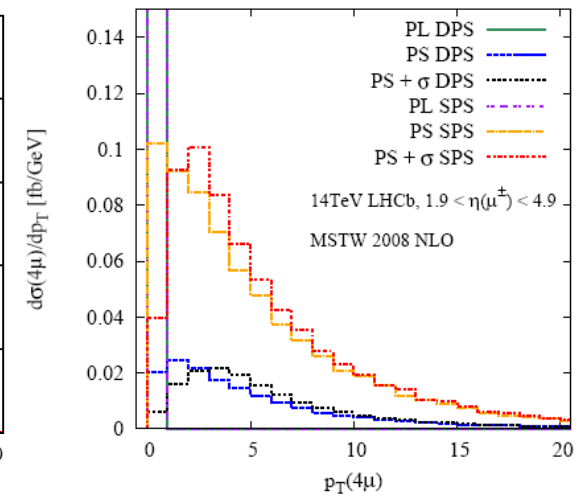
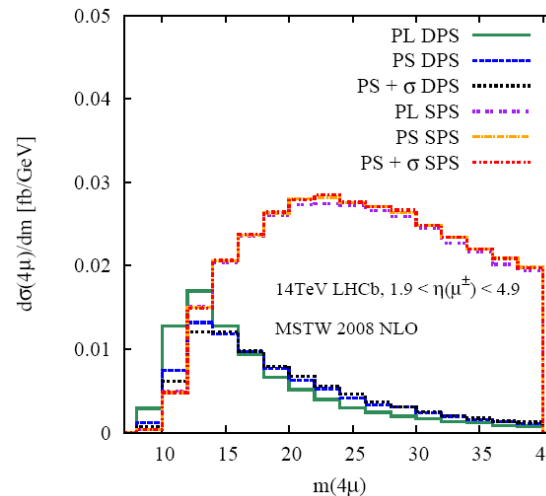
- acceptance:

$$1.9 < \eta < 4.9$$

$$p_T > 1 \text{ GeV}$$

LHCb-optimized

- good muon identification in the low mass region
- excellent low p_T acceptance, down to 1 GeV



	DPS	SPS
7 TeV	0.08 fb	0.43 fb
14 TeV	0.16 fb	0.68 fb

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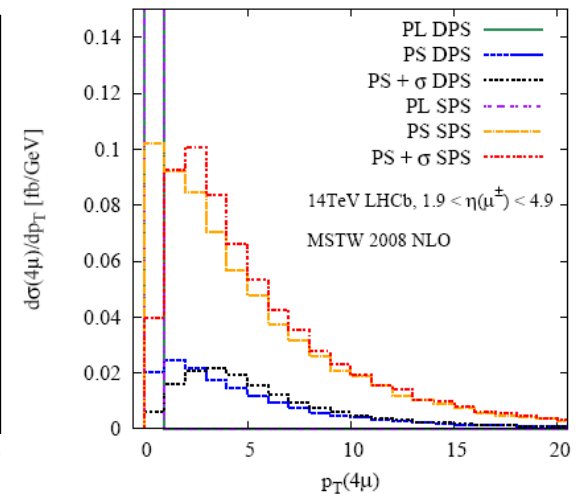
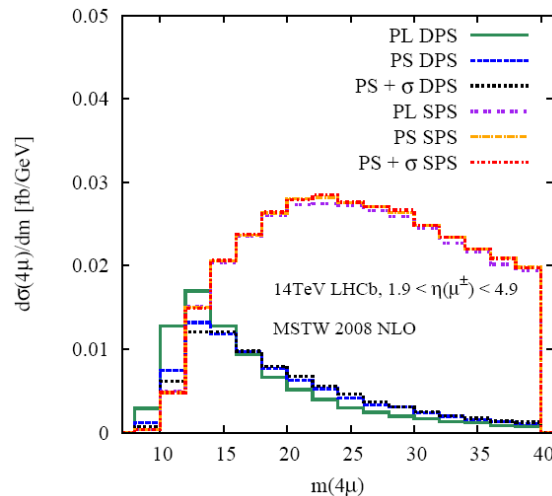
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Observing DPS via DDY scattering seems a challenging task!

- low production rate, no striking kinematical differences observed allowing for efficient DPS selection
- more effective to use template method (rather than hard cuts)

Double J/ψ Production

- contributions from **double parton scattering** may be significant:



	DPS	SPS
7 TeV	3.16 pb	1.70 pb
14 TeV	7.69 pb	2.62 pb

← theoretical prediction

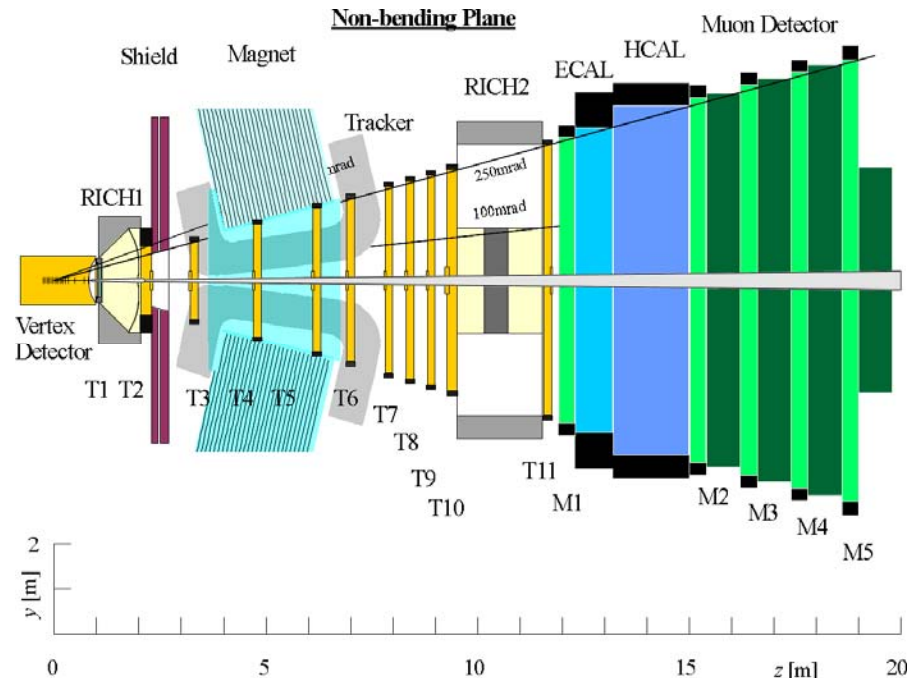
First measurement of charmonia pairs at LHC by LHCb Collaboration

$$p_T^\mu > 650 \text{ MeV } (\mu+\mu^- \text{ channel})$$

$$3.0 < m_{\mu+\mu^-} < 3.2 \text{ GeV}$$

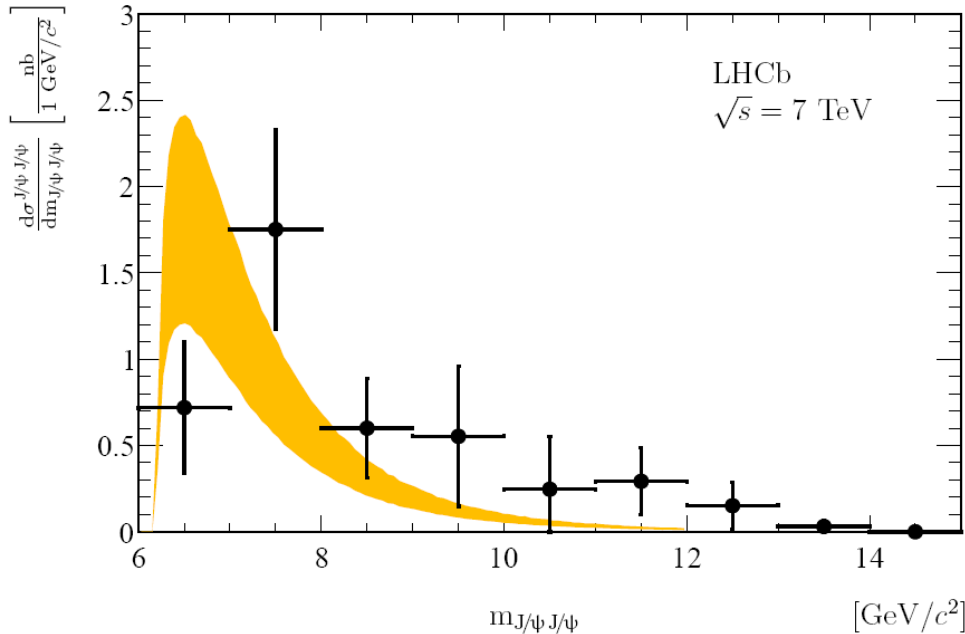
$$2 < \gamma^{J/\psi} < 4.5$$

$$p_T^{J/\psi} < 10 \text{ GeV}$$

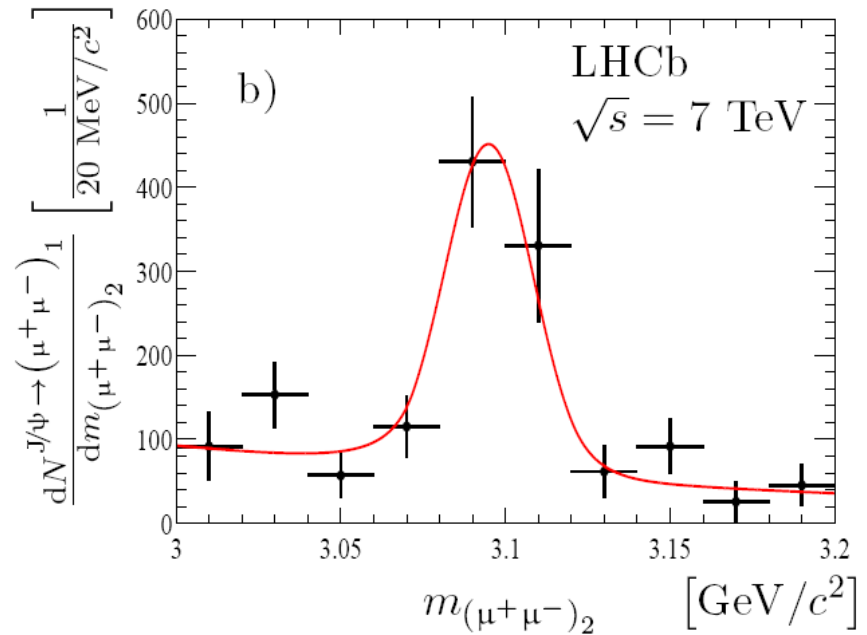


Double J/ψ Production

[arXiv 1109.0963 [hep-ex]]



Corrected event yield: $N = 672 \pm 129$



Fit: *double-sided Crystal Ball function*

- prediction of $\sigma^{J/\psi J/\psi}$ includes direct production and freddown from $\psi(2S)$, but no DPS
- measured cross-section (6σ excess):

$$\sigma^{J/\psi J/\psi} = 5.1 \pm 1.0 \text{ (stat)} \pm 1.1 \text{ (syst) nb}$$

- reasonable agreement between data and theory (within uncertainties)

→ *contribution from DPS?*

Double J/ψ and DPS

Using σ^{eff} formulation, we can obtain estimation of the contribution from the double parton scattering (single J/ψ production cross-section was measured by LHCb):

$$\sigma_{\text{DPS}}^{J/\psi J/\psi} = \frac{1}{2} \frac{\sigma_{\text{SPS}}^{J/\psi} \sigma_{\text{SPS}}^{J/\psi}}{\sigma_{\text{eff}}} \simeq 2.0 \text{ nb}$$

*S.P. Baranov, A.M. Snigirev, N.P. Zotov
[Phys. Lett. B 705 (2011) 116–119]*

Cross-section through the standard $gg \rightarrow 2J/\psi$ mechanism gives:

$$\sigma_{\text{SPS}}^{J/\psi J/\psi} = 4.15 \text{ nb}$$

*A.V. Berezhnoy, A.K. Likhoded,
A.V. Luchnsky, A.A. Novoselov, [arXiv:1101.5881]*

Theoretical prediction from both modes :

$$\sigma_{\text{SPS}}^{J/\psi J/\psi} + \sigma_{\text{DPS}}^{J/\psi J/\psi} = 6.15 \text{ nb}$$

- close to the $\sigma^{J/\psi J/\psi}$ cross-section measured by LHCb ($\sigma^{J/\psi J/\psi} = 5.1 \pm 1.0 \pm 1.1 \text{ nb}$)

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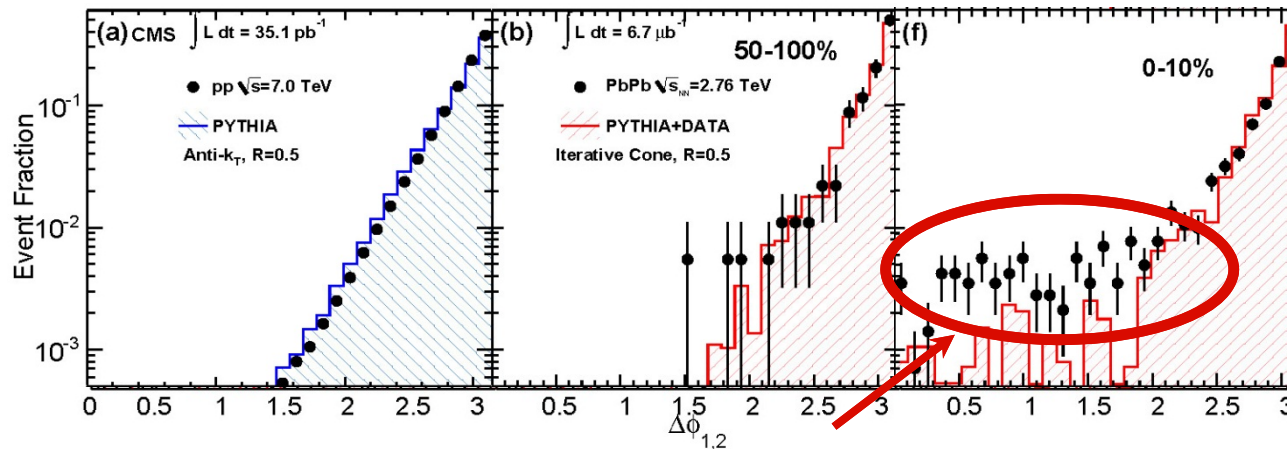
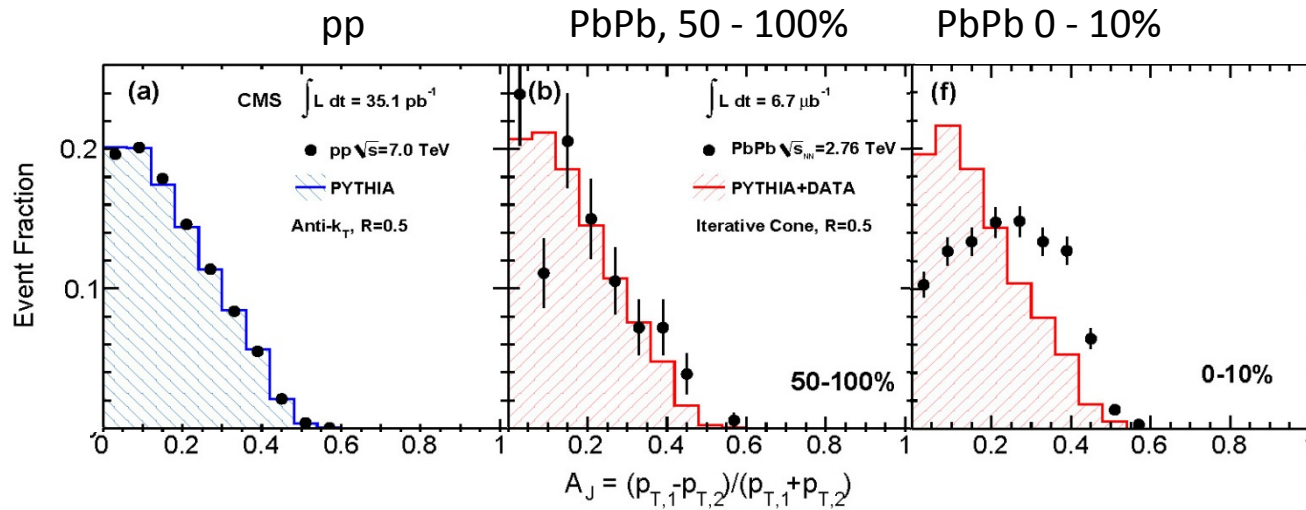
*A hint of the evidence to the double parton scattering
in the double J/ψ production!*

- large th. uncertainties (α_s scale, J/ψ wave function, gluon distr.,...) give factor 2-3

Jet Quenching in PbPb Collisions



[arXiv:1102.1957]



Double Parton Scattering

Dijets, calorimeters only
 Leading $p_T > 120 \text{ GeV}/c$
 Sub-leading $p_T > 50 \text{ GeV}/c$

p_T imbalance increasing
 with centrality

Back-to-back $\Delta\phi \sim \pi$ for
 all centralities

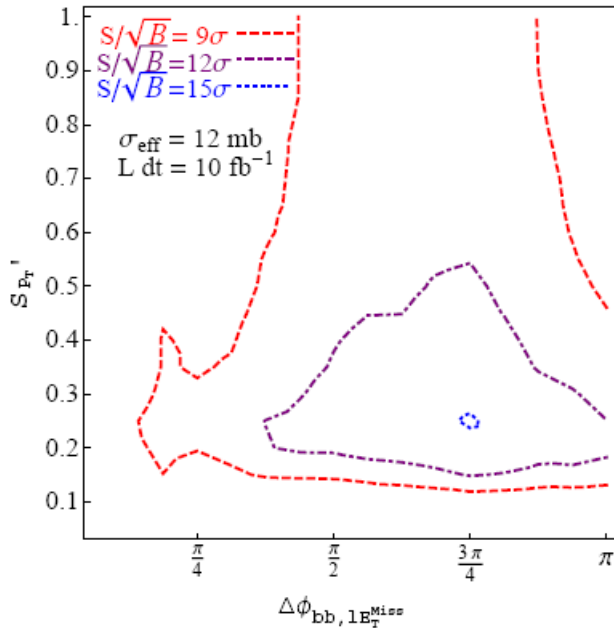
Conclusions

- ❑ huge progress, several recent papers, many other channels not mentioned here being explored (Z+jets, $\gamma\gamma$, ...)
- ❑ QCD/MPI MC models very successful: unavoidable tools to describe a wide set of observables at hadron colliders
- ❑ qualitatively & quantitatively consistent picture from the LHC:
The LHC is a Multiple Parton Interaction collider
- ❑ ATLAS results on σ_{eff} from $W \rightarrow l\nu + 2 \text{ jets}$ consistent with results obtained in different channels at the Tevatron
- ❑ First double J/ ψ cross-section results from LHCb
- ❑ DPS observed in PbPb collisions through jet quenching

more results to come!

Backup

Wbb at NLO



Basic acceptance cuts:

$$p_{Tb} > 20 \text{ GeV}, |\eta_b| < 2.5$$

$$20 \text{ GeV} < p_{T\mu} < 50 \text{ GeV}, |\eta_\mu| < 2.1$$

$$E_t^{\text{miss}} > 20 \text{ GeV}$$

$$\Delta R_{bb} > 0.4, \Delta R_{b\mu} > 0.4$$

Focus on W decays to muons

Computations done for 7 TeV c.o.m energy